

ACKNOWLEDGEMENT

I would like to express my appreciation and thanks to my supervisor, Dr. James Janthana Bango, for his patient supervision and encouragement to the successful completion of this work.

I would also like to thank all my friends and colleagues in Dams Implementation Unit, Sudan University of Science and Technology and Ministry of Physical Planning, Khartoum state.

Engineer Hamed Gasim Elseed head office of surveying division Steering Committee for the Studies & the Consulting Services of the New Projects Dam Implementation Unit and Faisal Mustafa Taha geodetic surveyor (GNPOC) are gratefully acknowledged for their unlimited help.

I would also like to thank the cooperation of many people who contributed in various ways in bringing this thesis to this final stage. Among those, to whom I am grateful, are engineer Enait alla Osman Department of Surveying, Sudan University of Science and Technology, Wail Ali Dam Implementation Unit, GIS centre, Mohammed Mosa Salih Ministry of Physical Planning Khartoum state and IGN staff Paris .

Last, but not least, I thank my parents and my brother for their endless support and encouragement. I could not have done it without them.

Abstract

The possibility of changes in correlation across a surface suggest that for the most accurate interpolation of data at unsampled locations it may be desirable to perform a priori analysis of data set to determine the nature of correlation between the given sample points.

Two models are used for a priori analysis of data set namely the variogram model and covariance functions. Therefore, the main objective of this research is to compare the efficiency of the two models in data analysis and data interpolation.

Samples of ninety measured points were selected for this test. Using geostatistical analyst of kriging it was found that the variogram model gives better results compared to the covariance functions.

تجريدة

إن إمكانية التغيير في الارتباط للبيانات على أي سطح تتطلب إجراء تحليل مسبق لمجموعة البيانات المتوفرة لتقرير طبيعة ذلك الارتباط ومن ثم استخراج علاقة ذات دقة أكبر لتحديد بيانات العينات غير المعلومة.

هناك نوعين من النماذج تم استخدامها في هذه الدراسة لتحديد هذا الارتباط وهي نموذج التباين ونموذج التغير وقد تم استخدام هذين النموذجين بغرض مقارنة الكفاءة في تحليل واستكمال البيانات.

تم في هذه الدراسة جمع 90 عينة من القيم المعلومة وتحليلها بالنموذجين باستخدام برنامج نظم المعلومات الجغرافية المتخصص ArcGIS (Geostatistical Analyst) وقد تبين من نتائج البحث أن نموذج التباين يعطي قيمة أفضل مقارنة مع نموذج التغير.

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