

3-3 النماذج الحسابية :

1-3-3 تمهيد :

تتناول هذه الجزئية حل مثالين لخزانات تحت ارضية ، يشمل الحل كل من التحليل و التصميم و اختبارات التشقق ، تم التحليل بالطريقة التقريبية ، بينما تم التصميم وفقا لمتطلبات الكود الهندي (IS3370) .

النموذج الاول هو عبارة عن خزان ارضي التربة المحيطة به تصنف كاتربة جافة (Dry Soil) لذلك توجد حالتين من التحميل للحصول علي العزوم القصوى ، الحالة الاولى (case 1) (عندما يكون الخزان ممتلئ و غير محاط بتربة ، والحالة الثانية (case 2) عندما يكون الخزان فارغ و تحت تأثير التربة المحيطة .

اما النموذج الثاني فيه التربة المحيطة بالخزان تصنف كاتربة رطبة (Wet soil) و لذلك هنالك اربعة من حالات التحميل ، الحاله الاولى (case 1) هي الخزان ممتلئ والتربة المحيطة به جافة ، و الحالة الثانية (case 2) هي الخزان فارغ والتربة المحيطة مشبعة ، والحالة الثالثة (case 3) هي الخزان ممتلئ والتربة مشبعة ، بينما الحالة الرابعة (case 4) عندما يكون الخزان فارغ و التربة المحيطة به جافة ، لكن في الحقيقة اقصي عزم يتم الحصول عليه من الحالتين الاولتين فقط .

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Ref	Calculation	Output
	<p>Example 1 :</p> <p>Design an underground tank of internal dimensions 6m*3m*3m. The soil surrounding the tank always remains dry . the tank shall be provide with a roof slab . the soil weights 1600N per meter³ having an angle of response of 30° . use 20 concrete and Fe 250 steel .</p> <p>Solution :</p> <p>1- Walls :</p> <p>1-1 Analysis of walls :</p> <p>Unless otherwise mention it will be taken that the soil surrounding the tank is not liable to be removed at any stage .</p> <p>The tank will therefore be designed for the following critical cases :</p> <p>Case 1: when the tank is full .</p> <p>Case 2: when the tank is empty .</p> <p>All walls will be designed as propped cantilevers .</p>	

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	<p>Maximum soil pressure</p> $16000 \times 3 \times \frac{1 + \sin 30^\circ}{1 - \sin 30^\circ} N/meter^2 = 16000 N/meter^2$ <p>→ <i>Maximum water pressure</i></p> $= 9810 \times 3 = 29430 N/meter^2$ <p>→ <i>Net max pressure</i></p> $P = 29430 - 16000 = 13430 N/meter^2$ <p>→ <i>Max B.M producing tension away from the water face</i></p> $= \frac{pn^2}{33.5} = \frac{13430 \times 3^2}{33.5} Nm = 3608.06 Nm$ <p>→ <i>Max B.M producing tension near from the water face</i></p> $= \frac{pn^2}{15} = \frac{13430 \times 3^2}{15} Nm = 8058 Nm$ <p>→ <i>Maximum bending moment producing tension near the water face</i></p> $= \frac{ph^2}{33.5} = \frac{16000 \times 3^2}{33.5} Nm = 4298.5 Nm$	<p><u>8058 Nm</u></p> <p><u>4298.5 Nm</u></p>

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Ref	Calculation	Output									
	<p>→Maximum bending moment producing tension away from the water side</p> $= \frac{ph^2}{15} = \frac{16000 \times 3^2}{15} Nm = 9600Nm$ <p>The result obtained for the above two cases are tabulated below</p> <table border="1"> <thead> <tr> <th>Case</th> <th>B.M producing Tension on water face (Nm)</th> <th>B.M producing Tension away from water face(Nm)</th> </tr> </thead> <tbody> <tr> <td>Case1</td> <td>8058</td> <td>3606.9</td> </tr> <tr> <td>Case2</td> <td>4298.5</td> <td>9600</td> </tr> </tbody> </table> <p>2-1 Design of walls :</p> <p>The outer walls of an underground tank must also be designed from cracking stress consideration cracking stress means the actual tensile stress in concrete due to bending moment this stress must be limited to $1.6N/m^3$ to satisfy this condition the wall must be sufficiently thick . the overall thickness D may be determined by assuming the moment of resistance of $0.2667bD^2 Nmm$.</p>	Case	B.M producing Tension on water face (Nm)	B.M producing Tension away from water face(Nm)	Case1	8058	3606.9	Case2	4298.5	9600	<u>9600Nm</u>
Case	B.M producing Tension on water face (Nm)	B.M producing Tension away from water face(Nm)									
Case1	8058	3606.9									
Case2	4298.5	9600									

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Ref	Calculation	Output
	<p><i>IN our case equating the moment of resistance to the maximum bending moment .</i></p> <p><i>We have</i></p> $0.2667 \times 1000D^2 = 9600 \times 1000 \quad \therefore D = 189.7 \text{ mm}$ <p><i>Let us provide a thickness of 200mm providing an effective cover of 40mm effective depth =200 – 40 = 160mm steel for bending moment of 9600 Nm</i></p> $= \frac{9600 \times 1000}{125 \times 0.86 \times 160} \text{mm}^2 = 558 \text{mm}^2$	
T-4 @ IS3370	<p>Provide 12mm dia. Bars @200 mm centers (565mm²)</p> $\frac{8004000}{115 \times 0.86 \times 160} \text{mm}^2 = 509 \text{mm}^2$	<u>565mm²</u>
T-4 @ IS3370	<p>Provide 12mm. dia. Bars @180 mm centers (628mm²)</p> <p>Provide also distribution steel of 10mm diameter bars at 240 mm centers near each face .</p> <p>Provide 10 mm. dia. Bars @240 mm centers (372mm²)</p> <p>3-1 Cracking stress of walls :</p>	628mm²

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Ref	Calculation	Output
T-21 @ SI3370	<p>❖ Position of actual neutral axis. Taking moments about the neutral axis</p> $= 1000 \frac{n^2}{2} + (13 - 1)628(n - 40)$ $1000 \frac{(200 - n)^2}{2} \div (13 - 1)565(200 - n - 40)$ <p>Solving we got $n=88.4\text{cm}$</p> <p>→ Moment for resistance determined from the tension zone may be taken as total tension $\times 0.82d$</p> <p>Cracking stress due to a B.M of 9600Nm</p> <p>This B.M produces tensile stress be C_t</p> <p>Total tension = $1000 \times 111.6 \frac{C_t}{2} \div (13 - 1)565 \times \frac{71.6}{111.6} C_t \text{ N}$</p> <p>Equating the M.R to B.M $60150C_t \times 0.82 \times 160 = 9600 \times 1000$</p> <p><u>$\therefore C_t 1.22 \text{ N/mm}^2 (\text{less than } 1.6 \text{ Nm}^2)$</u></p>	
T-21 @ SI3370	<p>Cracking stress due to a bending moment of 8058 Nm</p> <p>This bending moment produces tension near water face .</p>	<p><u>$\therefore C_t 1.22 \text{ N/mm}^2$</u></p>

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Ref	Calculation	Output
T-21 @ SI3370	<p>Let the tensile stress in concrete to C_t</p> <p>→Total tension</p> $= 1000 \times 88.4 \times \frac{C_t}{2} \div (13 - 1) \times 628 \times \frac{48.4}{88.4} C_t \text{ N.}$ $= 48330 C_t$ <p>→Equating the M.R to the B.M</p> $48330 C_t \times 0.82 \times 160 = 8058 \times 1000$ <p><u>$C_t = 1.24 \text{ N/mm}^2$ (less than 1.6 N/mm^2)</u></p> <p>2- roof slab :</p> <p>1-2 analysis of roof slab :</p> <p>Loads. Dead load (150mm) = 3750 N/m^2</p> <p>Live load = <u>1500 N/m^2</u></p> <p>Total = <u>5250 N/m^2</u></p> <p>Consider a one meter wide strip of the slab</p> <p>Maximum bending moment = $\frac{5250 \times 3.2^2}{8} \text{ Nm} = 6720 \text{ Nm}$</p>	<p><u>$C_t = 1.24$</u> <u>N/mm^2</u></p> <p><u>6720 Nm</u></p>

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Ref	Calculation	Output
T-4 @ SI3370	<p>2-2 Design of roof slab :</p> <p>the usual concrete mix (M 15) be used for the roof slab and using Fe 250 steel ,</p> $0.87 \times 1000d^2 = 6720 \times 1000 \quad \therefore d = 88\text{mm}$ <p>Provide cover of 40 mm effective depth available</p> $150 - 40 = 110 \text{ mm}$ <p>and will. Therefore, not be included in the B.M</p> $A_s = \frac{6720 \times 1000}{140 \times 0.86 \times 110} = 507 \text{ mm}^2$ <p>Provide 12 mm Φ bars @ 200 mm c/c</p> <p>Distribution steel</p> $= \frac{0.3}{100} 150 \times 1000 \text{ mm}^2 = 450 \text{ mm}^2$ <p>Spacing of 10 mm diameter bars</p> $= \frac{79 \times 1000}{450} \text{ mm} = 150 \text{ mm centers}$ <p>Provide 10 mm Φ bars @ 150 mm c/c</p>	<p><u>Roof thickness</u></p> <p><u>150 mm</u></p> <p>507 mm²</p>

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	<p>3- Base slab :</p> <p>3-1 Analysis of base slab :</p> <p>Design of the base slab. When the tank is full.</p> <p>Consider one meter run of the tank weight of the roof slab</p> $3.4 \times 0.15 \times 25000 = 12750 \text{ N/m}$ <p>Walls : $2 \times 0.2 \times 3 \times 25000 = \underline{30000 \text{ N/m}}$</p> <p>Total $\quad = \underline{42750 \text{ N/m}}$</p> <p>(Note. Water pressure on the base slab and the weight of base slab will be directly counteracted by ground pressure calculation).</p> <p>Net upward reaction</p> $= \frac{42750}{5} = 8550 \text{ N/meter}^2$ <p>B.M at the center due to the above loading</p> $= 21375(1.6 \times 1.25) \text{ Nm} = 7481.25 \text{ Nm}$ <p>Producing tension on the water side.</p> <p>Water pressure and soil pressure action on the wall will producing a moment of 8004 Nm of the same type</p>	<p><u>7481.25 Nm</u></p>

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	<p>∴ total bending moment at the center</p> $= 7481.25 + 8058 \text{ Nm} = 15539.25 \text{ Nm}$ <p>Produce tension on water side.</p> <p>B.M. at the end.</p> <p><u>Hogging bending moment</u></p> $= 8058 \text{ Nm}$ <p><u>Sagging bending moment</u></p> $= 8550 \times \frac{0.9^2}{2} = 3462.75 \text{ Nm}$ <p>∴ Net B.M.</p> $8058 - 3462.75 = 4541.25 \text{ Nm}$ <p><i>Produce tension in the water side.</i></p> <p><i>Case 2. When the tank is empty .</i></p> <p><i>For this condition B.M. at center due to vertical loads</i></p> $= 7481.25 \text{ Nm}$ <p><i>Produce tension on the water side.</i></p> <p><i>B.M. due to soil pressure on the vertical walls = 9600 Nm</i></p> <p><i>Produce tension away from water side.</i></p>	<p><u>15539.25 Nm</u></p> <p><u>4541.25 Nm</u></p>

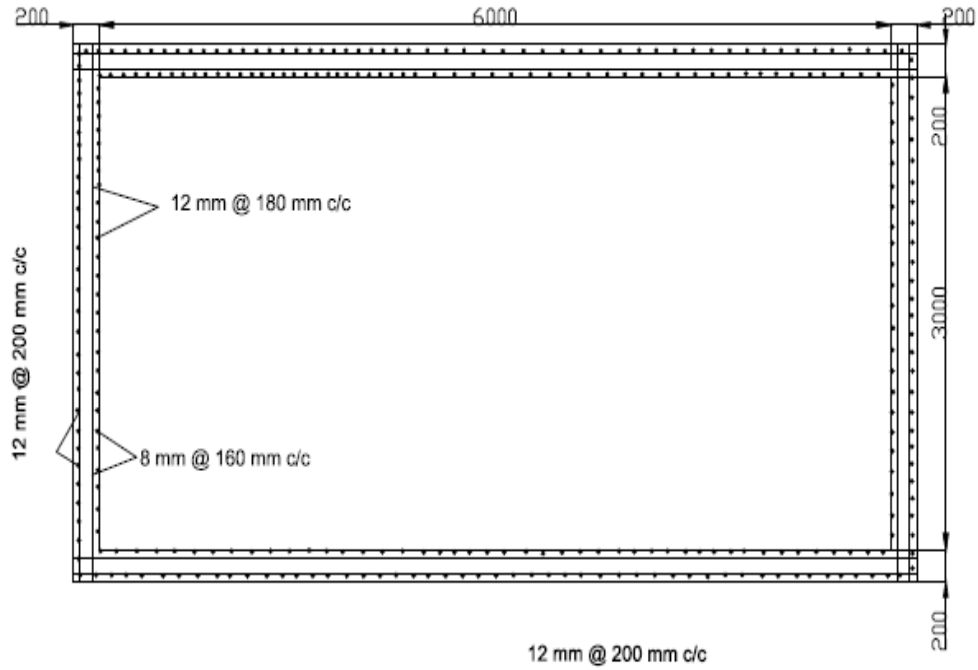
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Ref	Calculation	Output												
	<p>\therefore Net B.M. at the center = $9600 - 7482.25$ = 2118.75 Nm</p> <p><i>Producing tension away from water side.</i></p> <p>B.M. at the end = $3462.75 \div 9600 \text{ Nm} =$ 13062.75 Nm</p> <p><i>Produce tension away from the water side</i></p> <p><i>The results obtained for the above two cases are tabulated below :</i></p> <table border="1"> <thead> <tr> <th>Case</th> <th>B.M. at end section (Nm)</th> <th>B.M. at mid span (Nm)</th> <th>B.M. produce tension</th> </tr> </thead> <tbody> <tr> <td>Case 1</td> <td>4595.25</td> <td>15539.25</td> <td>On the water</td> </tr> <tr> <td>Case 2</td> <td>13062.75</td> <td>2118.75</td> <td>Away from water side</td> </tr> </tbody> </table> <p>2-3 Design of base slab :</p> <p><i>Let the thickness of the base slab D mm.</i></p> <p><i>From cracking stress consideration equating the moment of resistance to max B.M. we have,</i></p>	Case	B.M. at end section (Nm)	B.M. at mid span (Nm)	B.M. produce tension	Case 1	4595.25	15539.25	On the water	Case 2	13062.75	2118.75	Away from water side	<p><u>2118.75 Nm</u></p> <p><u>13062.75 Nm</u></p>
Case	B.M. at end section (Nm)	B.M. at mid span (Nm)	B.M. produce tension											
Case 1	4595.25	15539.25	On the water											
Case 2	13062.75	2118.75	Away from water side											

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	$= 0.2667 bd^2 = 0.2667 \times 1000 D^2$ $= 15485.25 \times 1000$ $D = 240 \text{ mm}$ <p><i>Let us provide an overall depth of 250 mm</i></p> <p><i>Let the effective cover be 60 mm</i></p> $\therefore \text{Effective depth} = 250 - 60 = 190 \text{ mm}$ <p><i>Steel for bending moment of 15485.25 Nm</i></p> $= \frac{15539.25 \times 1000}{115 \times 0.86 \times 190} = 827 \text{ mm}^2$ <p><i>Spacing of 12 mm bending bars</i></p> $= \frac{113 \times 1000}{834} = 135 \text{ mm}$ <p><i>Provide 12 mm diameter bars at 110 mm centers (1027 mm²)</i></p> <p><i>Steel for bending moment of 13062.75 Nm</i></p> $= \frac{13062750}{125 \times 0.86 \times 100} \text{ mm}^2 = 639 \text{ mm}^2$ <p><i>Spacing of 12 mm diameter bars =</i></p> $\frac{113 \times 1000}{834} = 176.8 \text{ mm}$	<p>Base slab thickness</p> <p><u>250 mm</u></p>

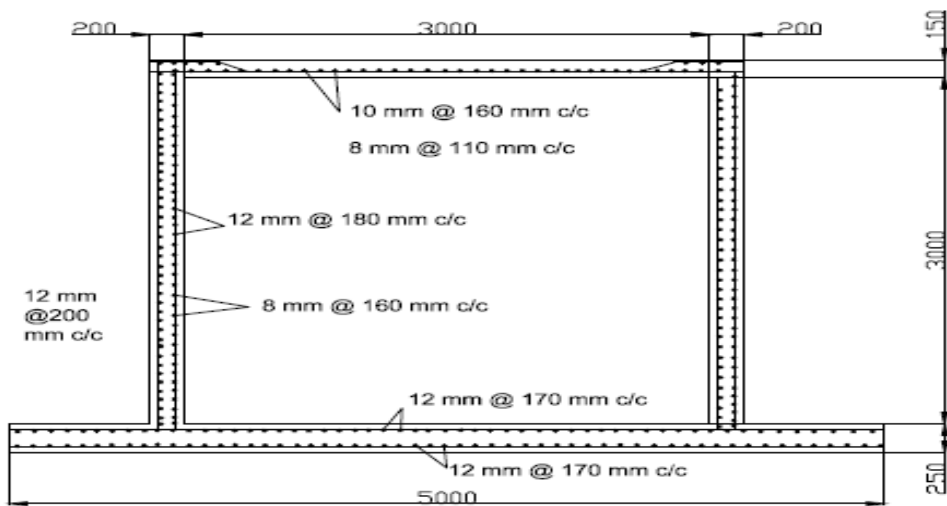
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Ref	Calculation	Output
T-21 @ IS3370	<p>Provide 12 mm diameter bars at 170 mm centers (665 mm²)</p> <p>Provide also distribution steel of 10mm diameter bars at 200mm centers near each face .</p> <p>3_3 Check for cracking stress</p> <p>→ Position of actual neutral axis taking moments above the neutral axis , we have</p> $1000 \frac{n^2}{5} + (13 - 1) \times 1027(n - 60)$ $= 1000 \frac{(250 - n)^2}{2}$ $+ (13 - 1)665(250 - n - 60)$ $n = 123 \text{ mm}$ <p>cracking stress due to a bending moment of 15539..25Nm this bending moment produces tension on the water face let the tensile stress in concrete be C_t</p> <p>total tension =</p> $1000 \times 123 \times \frac{C_t}{2} + (13 - 1)1027 \times \frac{83}{123} C_t N$ $= 70880 C_t N$	

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T-21 @ SI3370	<p>Equating the moment of resistance to the bending moment</p> $70880 C_t \times 0.82 \times 190$ $= 15539.25 \times 1000$ <p><u>$C_t = 1.562 \text{ N/mm}^2$ (less than 1.60 N/mm^2)</u></p> <p>Cracking stress due to a bending moment of 13062.75 Nm</p> <p>This bending moment produce tension away from the water side let the tensile stress in concrete be C_t</p> <p>→Total tension</p> $= 1000 \times 127 \times \frac{C_t}{2} + (13 - 1) \times 665 \times \frac{83}{127} C_t N$ <p>→Equating the M.R to the B.M</p> $68700 C_t \times 0.82 \times 190 = 13062.75 \times 1000$ <p><u>$C_t = 1.22 \text{ N/mm}^2$ (less than 1.6 N/mm^2)</u></p>	<p><u>$C_t = 1.562$</u> <u>N/mm^2</u></p> <p><u>C_t</u> <u>$= 1.22 \text{ N}$</u> <u>$/\text{mm}^2$</u></p>

التفاصيل الإنشائية



مسقط افقي



قطاع عرضي

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	<p>Example 2 :-</p> <p>design an R.C tank of internal dimensions 12m * 3.5m * 3.5m . the tank is to be provided underground. The soil surrounding the tank is likely to get wet. Adopt suitable working stress. Soil weights 18000 N/m³. use M 20 concrete and fe 250 steel.</p> <p style="text-align: center;">Solution</p> <p><u>the following cases arise :</u></p> <p>Case 1. Tank is full and the surrounding soil is dry.</p> <p>Case 2. Tank is empty and the surrounding soil is water-logged.</p> <p>Case 3. Tank is full and the surrounding soil is water-logged.</p> <p>Case 4. Tank is empty and the surrounding soil is dry.</p>	

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	<p>1- Walls :</p> <p>1-1 Analysis of walls :</p> <p>The tank will therefore be designed for the following critical cases :</p> <p>Case 1. Tank is full and the surrounding soil is dry.</p> <p>Case 2: Tank is empty and the surrounding soil is water-logged.</p> <p>case1 : Tank is full and the surrounding soil is water-dry.</p> <p>All walls will be designed as propped cantilevers.</p> <p>Maximum soil pressure</p> $18000 \times 3.5 \times \frac{1 \div \sin 30^\circ}{1 \div \sin 30^\circ} N/meter^2 = 21000 N/m^2$ <p>→ <i>Maximum water pressure</i></p> $= 9810 \times 3.5 = 34335 N/meter^2$ <p>→ <i>Net max pressure</i></p> $P = 34335 - 21000 = 13335 N/meter^2$	

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	<p>→ Consider one meter run of the wall</p> <p>→ <i>Max B.M producing tension away from the water face</i></p> $\frac{pn^2}{33.5} = \frac{13335 \times 3.5^2}{33.5} Nm = 4876.2 Nm$ <p>Maximum bending moment producing tension near the water face</p> $= \frac{ph^2}{15} = \frac{13335 * 3.5^2}{15} = 10890.2 Nm$ <p>Case 2. : Tank is empty and the surrounding soil is water-logged.</p> <p>Pressure intensity exerted by wet earth at the bottom of the wall.</p> $= wh \frac{1 - \sin 6^\circ}{1 + \sin 6^\circ} = 18000 * 3.5 * \frac{1 - \sin 6^\circ}{1 + \sin 6^\circ}$ $= 51075.83 N/m^2$ <p>Consider one metre run of the wall</p> <p>Maximum bending moment producing tension away from the water face .</p> $= \frac{ph^2}{33.5} = \frac{51075.828 * 3.5^2}{33.5} = 18676.98 N.m$	<p><u>4876.2Nm</u></p> <p><u>10890.2Nm</u></p> <p><u>18676.98 N.m</u></p>

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	<p>→Maximum bending moment producing tension away from the water face</p> $= ph^2/15 = \frac{51075.828 * 3.5^2}{15} = 41711.93 \text{ Nm}$ <p>The bending moment computed above are tabulated below :</p> <table border="1" data-bbox="325 954 1141 1350"> <thead> <tr> <th><i>Case</i></th> <th><i>B.M producing Tension on water face (Nm)</i></th> <th><i>B.M producing Tension away from water face(Nm)</i></th> </tr> </thead> <tbody> <tr> <td><i>Case1</i></td> <td>10890.2</td> <td>4876.2</td> </tr> <tr> <td><i>Case2</i></td> <td>18676.98</td> <td>41711.93</td> </tr> </tbody> </table> <p>2-1 Design of walls</p> <p>From cracking stress consideration an overall depth to satisfy $M=0.2667bd^2$</p> $\frac{1}{6}fbD^2 = \frac{1}{6} * 1.6bD^2 = 0.2667bD^2$ <p>May be provided.</p>	<i>Case</i>	<i>B.M producing Tension on water face (Nm)</i>	<i>B.M producing Tension away from water face(Nm)</i>	<i>Case1</i>	10890.2	4876.2	<i>Case2</i>	18676.98	41711.93	<p><u>41711.93 Nm</u></p>
<i>Case</i>	<i>B.M producing Tension on water face (Nm)</i>	<i>B.M producing Tension away from water face(Nm)</i>									
<i>Case1</i>	10890.2	4876.2									
<i>Case2</i>	18676.98	41711.93									

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T-4 @ SI3370	<p>$0.2667 * 1000 * D^2 = 41730000$, $D = 395.3 \text{ mm}$</p> <p>Let us provide thickness of 400mm.</p> <p>Let us effective cover to the reinforcement be 40mm</p> <p>Effective depth = $400 - 40 = 360 \text{ mm}$</p> <p>Steel for a bending moment of 41711.93 Nm</p> $= \frac{41711.93 * 1000}{125 * 86 * 360} = 1077.82 \text{ mm}^2$ <p>Spacing of 18 mm diameter bars =</p> $= \frac{254 * 1000}{1077.82} = 235.66 \text{ mm}$ <p>Provide 18mm dia. Bars @210 mm centers (1211mm²)</p> <p>Steel for abending moment of 18680 Nm</p> $= \frac{18676980}{115 * 86 * 360} = 524.57 \text{ mm}^2$ <p>Spacing of 12mm diameter bars</p> $\frac{113 * 1000}{524.57} = 215 \text{ mm}$ <p>Provide 12mm dia. Bars @180 mm centers (578mm²)</p> <p>→Provide also distribution steel of 10mm diameter bars at</p>	<p><u>1077.82mm²</u></p> <p><u>235.66 mm</u></p> <p><u>524.57mm²</u></p> <p><u>215mm</u></p>

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T-21 @ SI3370	<p>110 mm centers near each face .</p> <p>3-1 Cracking stress of walls :</p> <p>Position of actual neutral axis :</p> <p>Taking moments about the neutral axis , we have</p> $= \frac{1000n^2}{2} + (13 - 1)1411(n - 40)$ $= \frac{1000(400 - n)^2}{2}$ $+ (13 - 1)628(400 - n - 40)$ <p>(n = 196.4 mm)</p> <p>Cracking stress due to bending moment of 41711.93 Nm</p> <p>Let the maximum tensile stress in concrete be c_1</p> <p>→Total tension</p> $= \frac{1000 \cdot 196.4^2}{2} + (13 - 1)1411 \cdot \frac{156.4}{196.4} c_t = 111700 c_t$ <p>Equating M.R to the B.M $111700 c_1 * 0.82 * 360 =$ 41711930</p> <p>$C_1 = 1.20 \text{ N/mm}^2$ (less than 1.6 N/mm^2)</p>	<p>$C_1 = 1.20$ <u>N/mm^2</u></p>

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T-21 @ SI3370	<p>Cracking stress due to a bending moment of 18676.98 Nm</p> <p>→ Let the maximum tensile stress in concrete be c_t.</p> <p>→ Total tension</p> $= \frac{1000 \cdot 203.6 \cdot c_t}{2} + (13 - 1) 628 \cdot \frac{163.6}{203.6} c_t = 107900 c_t$ <p>→ Equating the M.R to the B.M</p> $107900 C_T \cdot .82 \cdot 360 = 186676980$ $c_t = 0.64 \frac{N}{mm^2} (\text{less than } 1.6 \text{ N/mm}^2)$ <p>2- roof slab :</p> <p>1-2 analysis of roof slab :</p> <p>Loads :</p> <p>Dead load (150mm) $25 \cdot 150 = 3750 \text{ N/m}^2$</p> <p>Live load = 1500 N/m^2</p> <p>Total = <u>5250 N/m^2</u></p> <p>❖ Consider a one meter wide strip of the slab.</p> <p>→ Maximum bending moment</p>	$c_t = 0.64 \frac{N}{mm^2}$

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Ref	Calculation	Output
T-4 @ SI3370	$= \frac{5250 * 3.9^2}{8} = 9981 N.m$ <p>2-2 Design of roof slab :</p> <p>If the concrete mix (M15) be used for the roof slab :</p> <p>$0.87 * 1000d^2 = 9981 * 1000$, d= 108 mm ,effective cover of 40mm</p> <p>the effective depth available = 150-40 = 110 mm</p> $A (st) = \frac{9981000}{140 * 0.86 * 110} = 753.62mm^2$ <p>Spacing of 12mm diameter bars</p> $= \frac{113 * 1000}{753.62} = 149.94mm$ <p>Provide 12mm dia. Bars @120 mm centers</p> <p>Distribution steel</p> $= \frac{0.3}{100} * 150 * 1000 = 450mm^2$ <p>Spacing of 10mm diameter bars</p> $= \frac{79 * 1000}{450} = 150 mm centres$	<p><u>M=9981 N.m</u></p> <p><u>Roof thickness</u></p> <p><u>150 mm</u></p> <p><u>753.62mm²</u></p> <p><u>450mm²</u></p>

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Ref	Calculation	Output
	<p>Provide 10mm dia. Bars @150 mm centers</p> <p>3- Base slab :</p> <p>3-1 Analysis of base slab :</p> <p>→Assume 0.5m thick base . up left pressure $= 9810 \cdot 4 = 39240 \text{ N/m}^2$</p> <p>Consider one meter run of tank</p> <p>→Weight of roof $= 4.3 \cdot 15 \cdot 25000 \text{ N} = 16125 \text{ N}$</p> <p>→Weight of tow walls $= 2 \cdot 0.4 \cdot 3.5 \cdot 25000 = 70000 \text{ N}$</p> <p>→Base slab. $= 0.5 \cdot x \cdot 25000 = 12500x \text{ N}$</p> <p>→Weight of soil on the projecting portions of the base slab. $= (x-4.3) \cdot 3.5 \cdot 18000 \text{ N} = 63000(x-4.3) \text{ N}$</p> <p>→Total up thrust $= 39240x \text{ N}$</p>	

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Ref	Calculation	Output
	<p>Equating the downward and upward forces</p> $16125 + 70000 + 12500x + 63000(x - 4.3) = 39240x$ $X = \underline{5.09m}$ <p>Let us provide a base width of 5.5 meters</p> <p>The base slab will be designed for case 1 and 2 mentioned earlier.</p> <p>case 1 : Tank is full and the surrounding soil is water-dry.</p> <p>→ Weight of the roof slab = 16125 N/m</p> <p>→ Weight of the two walls = 70000 N/m</p> <p>→ Total = 86125 N/m</p> <p>Note . water pressure on the base slab and the weight of the base slab will be directly counteracted by ground pressure and will not therefore be included in the B.M computations.</p> <p>→ Upward reaction due to the net load</p>	

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Ref	Calculation	Output
	$= \frac{86125}{5.5} = 15659.09 \text{ N/m}$ <p>→ B.M at the center due to the above loading</p> $= \frac{8625}{2} (1.95 - 1.375) = 24761 \text{ Nm}$ <p>(Producing tension on the water side .)</p> <p>Water pressure lateral soil pressure on the vertical walls will produce a moment of 10890.2 Nm of the same type .</p> <p>Total bending moment at the center.</p> $= 24761 + 10890.2 = 35651.2 \text{ Nm}$ <p>(Producing tension near water face .)</p> <p>→ B.M at the end</p> <p><u>Hogging bending moment</u> = 10890.2 Nm</p> <p><u>Sagging moment</u></p> $= \frac{15659.09 * 0.8^2}{2} = 5010.9 \text{ Nm}$ <p>→ Net bending moment = 5879.3 Nm</p>	<p><u>35651.2 Nm</u></p> <p><u>5879.3 Nm</u></p>

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Ref	Calculation	Output
	<p>(Producing tension on the water face)</p> <p>Case 2. : Tank is empty and the surrounding soil is water-logged.</p> <p>→Intensity of upthrust exerted by water in the soil</p> $= 9810 \times 4 = 39240 \text{ Nm}^2$ <p>→Net upward pressure</p> $= 15659.09 + 39240 = 54899.09 \text{ N/m}^2$ <p>Consider one meter run of the tank</p> <p>→B.M at the center</p> $= \frac{54899.09 \times 5.5}{2} (1.95 - 1.375) = 86809 \text{ Nm}$ <p>(Producing tension on the water side)</p> <p>→But B.M at the center due to saturated earth pressure on the vertical walls = 41711.93 Nm</p> <p>(Producing tension away from the water side) .</p> <p>→Net B.M at the center = 86809 - 41711.93</p> $= 45097.07 \text{ Nm}$	<p><u>45097.07 Nm</u></p>

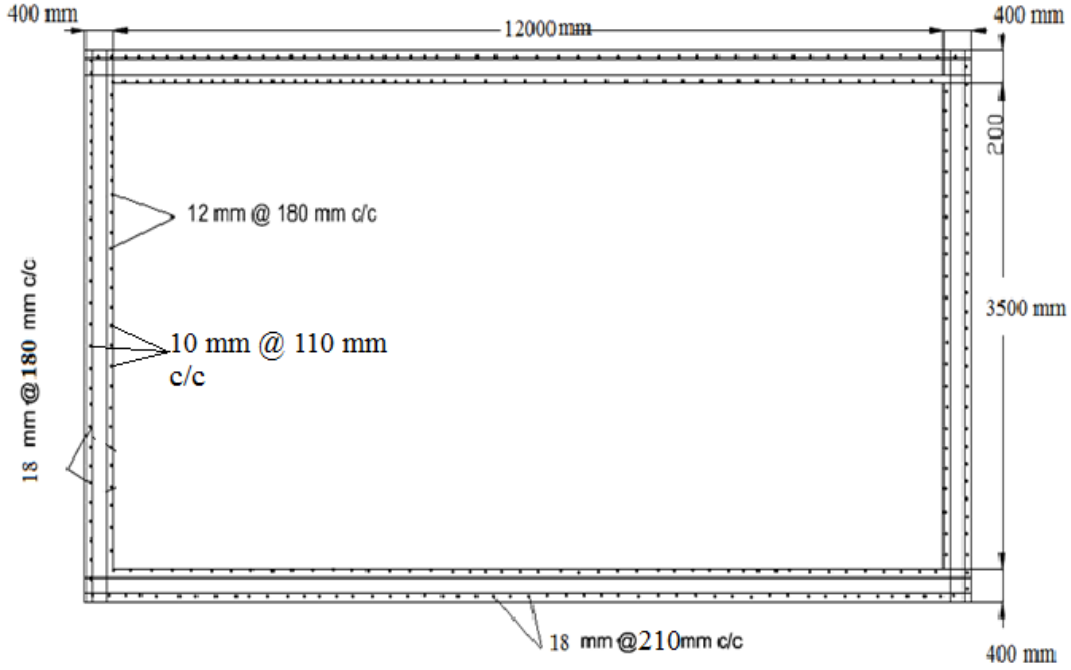
	Sudan university of science and technology	Page. No : 13												
Ref	Calculation	Output												
	<p>(Producing tension on the water side) .</p> <p>→B.M at the end</p> <p><u>Sagging moment</u> = 41711.93 Nm</p> <p><u>Cantilever moment</u> (sagging) =</p> $= \frac{54899.09 * 0.8^2}{2} = 17567.7 \text{ Nmm}$ <p>→Total B.M at the end = 41711.93+17567.7=</p> <p>59279.63 Nm</p> <p>(Producing tension away from the water side .)</p> <p>Summary of moment for the base slab</p> <p><i>2-3 Design of base slab :</i></p> <table border="1"> <thead> <tr> <th>Case</th> <th>B.M at end section (Nm)</th> <th>B.M at mid span (Nm)</th> <th>B.M produce tension</th> </tr> </thead> <tbody> <tr> <td>Case 1</td> <td>5879.80</td> <td>35651.20</td> <td>On water side</td> </tr> <tr> <td>Case 2</td> <td>59279.63</td> <td>45097.07</td> <td>away from water side</td> </tr> </tbody> </table> <p>From cracking stress consideration , equating the moment</p>	Case	B.M at end section (Nm)	B.M at mid span (Nm)	B.M produce tension	Case 1	5879.80	35651.20	On water side	Case 2	59279.63	45097.07	away from water side	<p><u>59279.63 Nm</u></p>
Case	B.M at end section (Nm)	B.M at mid span (Nm)	B.M produce tension											
Case 1	5879.80	35651.20	On water side											
Case 2	59279.63	45097.07	away from water side											

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Ref	Calculation	Output
	<p>of resistance to the maximum bending moment , we have</p> $= 0.2667bD^2 =$ $0.2667*1000D^2=59297.7*1000$ <p>(D=471 mm)</p> <p>Thickness provided = 500 mm</p> <p>Let us provide an effective cover of 60mm</p> <p>→ Effective depth = 500-60 =440mm</p> <p>Steel a bending moment of = 58297.7 Nm</p> $A_s = \frac{59279.63*1000}{125*.84*440} = 1253.27 \text{ mm}^2$ <p>Spacing of 18mm diameter bars</p> $= \frac{254*1000}{1253.27} = 202\text{mm}$ <p style="text-align: center;">Provide 18mm. dia. Bars @180 mm centers (1413mm²)</p> <p>Steel for a bending moment of 45097.07 Nm</p> $A_s = \frac{45097.07*1000}{115*.86*440} = 1036.33\text{mm}^2$	<p>Base slab thickness <u>500 mm</u></p> <p style="text-align: center;"><u>1253.27</u> mm²</p>

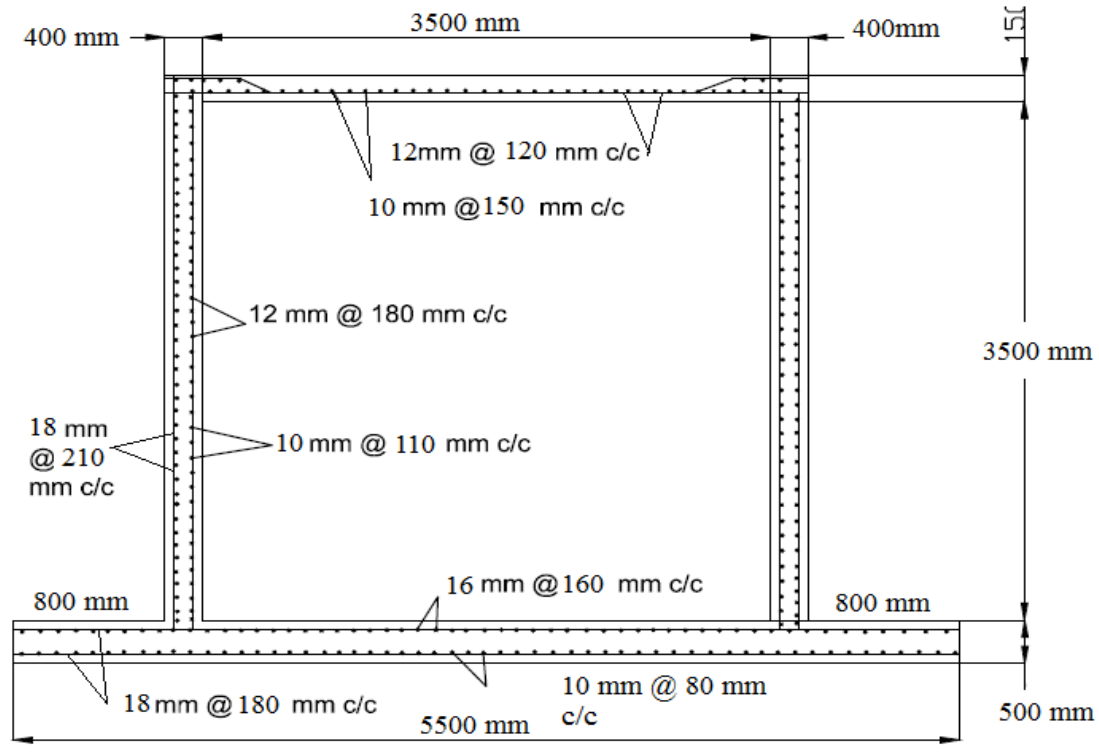
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Ref	Calculation	Output
T-21 @ SI3370	<p>Spacing of 16 mm diameter bars</p> $= \frac{201 \cdot 1000}{1036.33} = 202 \text{ mm}$ <p>Provide 16 mm. dia. Bars @160 mm centers (1256mm²)</p> <p>→Provide also distribution steel of 10mm diameter bars at 80 mm centers near each face .</p> <p>(3-3) Check for cracking stress :</p> <p>Position of actual neutral axis</p> $1000 \frac{n^2}{2} + (18 - 1) * 1256(n - 60)$ $= 1000 \frac{(50 - n)^2}{2}$ $+ (18 - 1)1698(500 - n - 60)$ <p><u>n=253 mm</u></p> <p>Cracking stress due to a bending moment of 59297.63 Nm</p> <p>This bending moment produces tension away from the water side .</p> <p>→Let the maximum tensile stress in concrete be c_r</p> <p>→Total tension</p>	<p><u>1256mm²</u></p>

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Ref	Calculation	Output
T-21 @ SI3370	$=1000*247*ct/2+(18 - 1) * 1693 * \frac{187}{257}ct= 188900ct$ <p>→Equating the M.R to B.M</p> $188900C_t*.82*440=59279.63*1000$ $\underline{C_t=1.12 \text{ N/mm}^2 \text{ (less than } 1.6 \text{ N/mm}^2)}$ <p>Cracking stress due to bending moment of 45097.07Nm</p> <p>This bending moment produces tension near the water side</p> <p>→Let the maximum tensile stress in concrete be c_t</p> <p>→Total tension</p> $= (1000*253*ct)/2+(18 - 1)1.253 * \frac{198}{263}ct= 138000ct$	$\underline{C_t=1.12}$ $\underline{\text{N/mm}^2}$
T-21 @ SI3370	<p>→Equating the M.R to the B.M</p> $138900C_t*.82*440=45097.07*1000$ $\underline{C_t=0.9\text{N/mm}^2(\text{less than } 1.6 \text{ N/mm}^2)}$	$\underline{C_t=0.9\text{N/mm}^2}$

التفاصيل الإنشائية



مسقط أفقي



قطاع عرضي