

List of Symbols

Symbol	page
min : minimum	1
inf : infimum	3
Sup : Supremum	3
max : maximum	7
Re : Real	10
Im : Imaginary	10
det :determinant	38
arg : argument	52
L^p : Lebesgue Space	53
L^∞ : Lebesgue Space	63
L^2 : Hilbert Space	63
diam : diameter	73
\otimes : Tenser product	76
rad : radial	137
kGZ : Klein - Gordon -Zakharov	144
H^1 : Sobolev	150
NLKG : nonlinear Klein–Gordon equations	178
NLS : nonlinear Schrödinger equations	178
Dom : Domain	202
mod : modulo	226
a.s : almost Sure	253

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