

DEDICATION

To my father

Mother ...

Brothers...

Sisters....

To my best friends and my best teachers

ACNKNOLEDGMENT

My gratefully thanked to:

Dr. Bakri Mergani Ahmed

And my teachers.

To the help, preparation and completion of this research support offered.

My deepest gratitude owed to my friends

I am deeply indebted to all staff of typists those help me to finish this study.

Abstract:

In this thesis we studied systems of differential equations .Chapter one deal with systems of differential equations of first order by different methods, also we studied the existence and uniqueness of the solutions.

In chapter two we studies solutions of homogeneous and nonhomogeneous linear systems of differential equations (first order) using different methods.

In chapter three deals with Lyapunov stability theory we studied Lyapunov stability and stability in the first approximation.

الخلاصة:

لقد تناولنا فى هذا البحث دراسة أنظمة المعادلات التفاضلية فى الباب الأول تناولنا حلول أنظمة المعادلات التفاضلية من الرتبة الأولى بعدة طرق وكذلك دراسة الوجود والوحدانية لحلول المعادلات. فى الباب الثانى درسنا الحلول لأنظمة المعادلات التفاضلية الخطية من الرتبة الأولى المتجانسة وغير المتجانسة ذات المتغيرات الثابتة بعدة طرق. فى الباب الثالث درسنا إستقرار لايبينوف لحلول أنظمة المعادلات الخطية ثم قمنا بدراسة انواع من نقاط الرجوع وإستخدمنا طريقة دوال لايبينوف لدراسة الإستقرار وكذلك درسنا التقريب الأول للإستقرار.

The content

	<i>The content</i>	<i>page</i>
	Dedication	I
	Acknowledgment	II
	Abstract	III
	Abstract (Arabic)	IV
	The content	V
<i>Chapter (1): first order systems</i>		
1.1	The system of differential equations	2
1.2	The existence and uniqueness theorem for Cauchy problem	9
1.3	The method of elimination	21
1.4	Finding integrable combinations	26
<i>Chapter (2): solutions of liner systems</i>		
2.1	Integration of homogeneous linear systems with the constant coefficients (Euler's method)	34
2.2	Methods of integrating non homogeneous linear systems with constant coefficients	43
2.3	The method of determined coefficients (trial and error)	47

	method	
2.4	Constricting integrable combinations (d A lambert's methods)	50
2.5	Application of the laplace transformation to of the solution of system	53
<i>Chapter (3): stability theory</i>		
3.1	Lyapunov stability basic concepts and definitions	60
3.2	The simplest types of stationary points	64
3.3	The method of Lyapunov functions	70
3.4	Stability in the first approximation	75
	References	79