CHAPTER THREE MANUAL ANALYSIS AND DESIGN

3.1Introduction:

The first function in design is the planning carried out by the architect to determine the arrangement and layout of the building to meet the client's requirements. Architect and engineer should work together at this conceptual design stage. The design of different structures is achieved by performing, in general, two main steps: (1) determining the different forces acting on the structure after estimation of loads using proper methods of structural analysis, (2) proportioning all structural members economically, considering the safety, stability, serviceability, and functionality of the structure [12].

3.2 Description of Case Studied:

A forty story concrete framed tube building,

-Basic wind speed: 100mph (45m/s)

- Terrain: flat

-Plan Dimension: 20*15m²

-Building Height: 128.8m

-Story height: 3.2m and 4m for ground floor

-Building lateral system: perimeter tube with exterior columns typically spaced at 5m, with spandrel beams and core at centre of the building.

-Building Use: health care facilities.

-Typical Floor Live Load: 2.4kN/m²

-RoofLiveLoad:0.96 kN/m²

-Super Imposed Dead Load:

Floor: 1.5kN/m²(ceiling load and partition)

Roof: 1.075kN/m²(0.48kN/m²+200kN/m² for penthouse)

- Member Section:

Beam section: 0.9*0.3m²

Column section: 0.8*0.8m²

Wall thickness: 300mm

Slab depth: 200mm

- Material Properties:

$$W_c = 24kN/m^3$$

$$W_m = 22KN/m^3$$

$$f_y = 420 N / mm^2$$

$$f'_c = 35 \text{N/mm}^2$$

$$f_{ys} = 250 \text{N/mm}^2$$

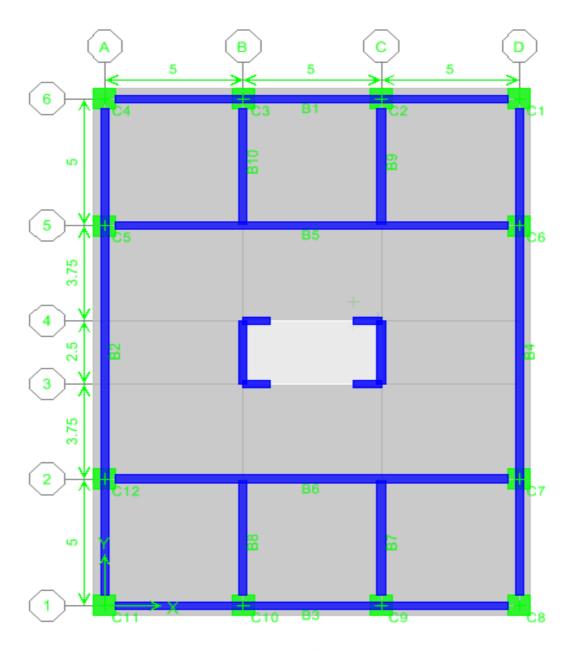


Fig. (3.1): Floors Plan

3.3 Analysis results:

3.3.1 Wind Loads Calculation:

- Wind design data is as follows:

V = 45 m/sec

Assuming, the building is a health care facilities with a capacity of 50 or more resident patients, so, occupancy category is III (ASCE7-05 table 1-1) and the exposure categories is D (the ground surface roughness ASCE7-05-6.5.6.3)

For exposure (D), I = 1.25 according to ASCE7-05 table 6-1(Appendix A)

 $k_d = 0.85$ for main wind force resisting systems of buildings according to ASCE7-05 table 6-4 (Appendix A)

$$k_z = 2.01(z/z_g)^{2/e}$$

e = 11.5 for exposure D according to ASCE7-05 table 6-2 (Appendix A)

 $z_g = 213$ for exposure D according to ASCE7-05 table 6-2 (Appendix A)

$$k_z$$
 at the 40^{th} story = $2.01(128.8/213)^{2/11.5} = 1.842$

 $k_{zt} = 1$ assuming the terrain is flat (Appendix A)

$$G_f = 0.925((1+1.7I_z\sqrt{(g^2Q^2+g^2gR^2)/(1+1.7g_vI_z)})$$
 Equation 6-8 from ASCE7-05 $G_f = 0.94$

$$q_z = 0.613k_zk_{zt}k_dV^2I$$

$$q_z = 0.613 \times 1.842 \times 1 \times 0.85 \times 1.25 \times 45^2 = 2429 \text{N/m}^2$$

Assuming the building is enclosed (ASCE6.5.9), $GC_{pi} = \pm 0.18$

C_p for wind in E-W direction (ASCE7-05 figure 6.6), (Appendix A)

 C_p (wind ward wall) = 0.8

 C_p (lee ward wall) = -0.5

 $C_p(\text{side wall}) = -0.7$

 C_p (over entire roof) = -1.3

 P_{windward} (external pressure) = $qGC_p = 2429 \times 0.94 \times 0.8 = 1827 \text{N/m}^2$

P (internal pressure) = $qGC_{pi} = 2429 \times (\pm 0.18) = 437 \text{N/m}^2$

 $P_{leeward}$ (external pressure) = 2429×0.94×0.5 = 1142N/m²

 $P = P_{wind ward} + P_{lee ward} = 98.8kN$

Wind loads at story level are shown in table (3.1).

Table (3.1): Summary of Wind Loads at Story Level

Level	Story height	Position (m)	Tributary area	Design Wind Load
	(m)		(m)	(kN)
40 th	3.2	128.8	1.6	98.8
39 th	3.2	125.6	3.2	197
38 th	3.2	122.4	3.2	195.8
37	3.2	119.2	3.2	195.7
36	3.2	116	3.2	195.3
35	3.2	112.8	3.2	194.6
34	3.2	109.6	3.2	194.1
33	3.2	106.4	3.2	193.4
32	3.2	103.2	3.2	192.7
31	3.2	100	3.2	192.3
30	3.2	96.8	3.2	191.6
29	3.2	93.6	3.2	190.8
28	3.2	90.4	3.2	189.8
27	3.2	87.2	3.2	189.5
26	3.2	84	3.2	188.7
25	3.2	80.8	3.2	188
24	3.2	77.6	3.2	187.2
23	3.2	74.4	3.2	186.4
22	3.2	71.2	3.2	185.5
21	3.2	68	3.2	184.7
20	3.2	64.8	3.2	183.7
19	3.2	61.6	3.2	182.9
18	3.2	58.4	3.2	181.9
17	3.2	55.2	3.2	180.8

16	3.2	52	3.2	179.7
15	3.2	48.8	3.2	178.6
14	3.2	45.6	3.2	177.3
13	3.2	42.4	3.2	176.1
12	3.2	39.2	3.2	174.6
11	3.2	36	3.2	173.2
10	3.2	32.8	3.2	171.8
9	3.2	29.6	3.2	170
8	3.2	26.4	3.2	168.2
7	3.2	23.2	3.2	165.3
6	3.2	20	3.2	163.6
5	3.2	16.8	3.2	161.2
4 th	3.2	13.6	3.2	158.2
3 rd	3.2	10.4	3.2	154.3
2 nd	3.2	7.2	3.2	149.5
1 st	4	4	3.6	162

3.3.2 Distribution of Wind Loads:

Wind load percentage carried by core = $EI_{core}/(EI_{core}+GA_{frames})$ =

 $14.29 \times 2.78 \times 10^7 / (14.29 \times 2.78 \times 10^7 + 128.2 \times 10^7) = 24\%$

Wind load percentage carried by four frames = 1-0.24=76%

Table 3.2 shows the distribution of wind loads

Table (3.2): Distribution of Wind Loads between Core and Frames

Level	story height	Position (m)	Load resist by	Load resist by
	(m)		core (kN)	Frames (kN)
40 th	3.2	128.8	30	70
39 th	3.2	125.6	47	150
38	3.2	122.4	47	149
37	3.2	119.2	47	148
36	3.2	116	47	148

35	3.2	112.8	47	147
34	3.2	109.6	47	146
33	3.2	106.4	46	146
32	3.2	103.2	46	146
31	3.2	100	46	146
30	3.2	96.8	46	146
29	3.2	93.6	46	145
28	3.2	90.4	46	144
27	3.2	87.2	46	144
26	3.2	84	45	144
25	3.2	80.8	45	143
24	3.2	77.6	45	142
23	3.2	74.4	45	141
22	3.2	71.2	45	141
21	3.2	68	44	141
20	3.2	64.8	44	140
19	3.2	61.6	44	139
18	3.2	58.4	44	138
17	3.2	55.2	43	138
16	3.2	52	43	137
15	3.2	48.8	43	136
14	3.2	45.6	43	134
13	3.2	42.4	42	134
12	3.2	39.2	42	133
11	3.2	36	42	131
10	3.2	32.8	41	131
9	3.2	29.6	41	129
8	3.2	26.4	40	128
7	3.2	23.2	40	125
6	3.2	20	40	124
5	3.2	16.8	40	121
4 th	3.2	13.6	38	120
		1	1	ı

3 rd	3.2	10.4	37	117
2 nd	3.2	72	36	114
1 st	4	4	39	123

3.3.3 Load Resisted by Frame (1) in Fig. (3.1):

Shear rigidity of frames (1,2,5,6)

$$GA_{(1,6)} = 12E/h((1/C)+(1/G)) = 19.3\times10^7$$

Shear rigidity of frames (2) and (5)

$$GA_{(2,5)} = 44.8 \times 10^7$$

Rigidity of frame (1) = $GA_1/(GA_1+GA_6+GA_2+GA_5) = 20\%$

Load resisted by frame (1) is shown in table (3.3)

Table (3.3): Load Resisted by Frame (1)

Level	Position (m)	Wind Load (kN)	S.F at mid story (kN)
40 th	128.8	15	15
39 th	125.6	30	45
38 th	122.4	30	75
37	119.2	30	95
36	116	30	125
35	112.8	30	155
34	109.6	30	185
33	106.4	29	214
32	103.2	29	243
31	100	29	272
30	96.8	29	301
29	93.6	29	330
28	90.4	29	359
27	87.2	29	388
26	84	29	417
25	80.8	29	446

24	77.6	29	475
23	74.4	28	504
22	71.2	28	533
21	68	28	562
20	64.8	28	591
19	61.6	28	620
18	58.4	28	649
17	55.2	28	678
16	52	27	707
15	48.8	27	736
14	45.6	27	765
13	42.4	27	794
12	39.2	27	823
11	36	26	852
10	32.8	26	881
9	29.6	26	910
8	26.4	26	939
7	23.2	25	968
6	20	25	997
5	16.8	25	1026
4 th	13.6	24	1055
3 rd	10.4	24	1084
2 nd	72	23	1113
1 st	4	25	1142
	<u> </u>	<u> </u>	l .

3.3.4 Analysis of Gravity Loads:

Gravity Loads on beam (C11-C10)

 $DL_{floor} = 45kN/m$

 $LL_{floor} = 5kN/m$

 $DL_{roof} = 35kN/m$

 $LL_{roof} = 2kN/m$

Fixed end moments = $wL^2/12$, L = 5m

By moments distribution method

Stiffness $(k_{\text{(beam or column)}}) = I/L_{\text{(beam or column)}}$

Moment of inertia $(I_{\text{(beam or column})} = bh^3/12$

Distribution factor (DF) = $k/\Sigma k$

Bending moments and shear forces under gravity loads are shown in table (3.4)

Table (3.4): Summary of Bending Moments and Shear Forces under Gravity Loads for beam (C11-C10) and beam (C10-C9)

Cases		Loc	cation	B.M (kN-m)	S.F (kN)
For Roof	Span	Support	Exterior	-116	-68
	(C11- C10)		Interior	42	55
		Mid span	1	51	
	Span	Support	First	-53	-58.4
	(C10-C9)		Second	-53	58.4
		Mid span	<u> </u>	25	
For Floors	Span	Support	Exterior	-128	-100
	(C11- C10)		Interior	68	76
		Mid span	1	57.7	
	Span	Support	First	-71	-60
	(C10-C9)		Second	-71	60
		Mid span		40	
For First	Span	Support	Exterior	-85	-80
Floor	(C11- C10)		Interior	65	72
		Mid span	<u> </u>	49	
	Span	Support	First	-69.3	-82.5
	(C10-C9)		Second	-69.3	82.5
		Mid span	1	35	

• Beams shear force and bending moment diagrams due to gravity loads are shown in Figures bellow.

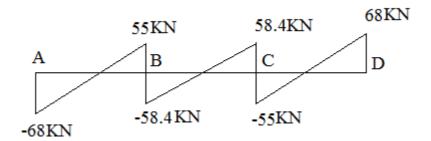


Fig. (3.2): Shear Forces Diagrams due to Gravity Loads for Beams at Roof Level

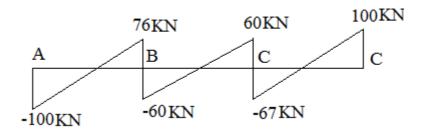


Fig. (3.3): Shear Forces Diagrams due to Gravity Loads for Beams at Floors Level

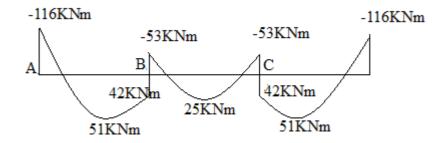


Fig. (3.4): Bending Moments Diagrams due to Gravity Loads for Beams at Roof Level

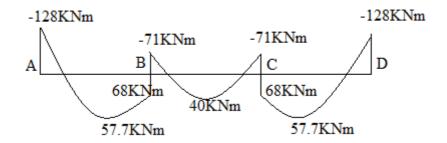


Fig. (3.5): Bending Moments Diagrams due to Gravity Loads for Beams at Floors Level

3.3.5 Analysis of Wind Loads:

By cantilever method

Wind load at 40^{th} story level (frame 1) = 15kN

External moment due to wind = $15 \times 1.6 = 24 \text{ kNm}$

Second moment of area

=
$$1(7.5^2+2.5^2+2.5^2+7.5^2) = 125$$
m⁴

Column(C11) axial forces

$$= 24 \times 7.5/125 = 1.5$$
kN

Shear forces at beam (C11-C10) = 1.5kN

Moment at left end of beam (C11-C10) = $1.5 \times 2.5 = \pm 4$ kNm

Bending moments and shear forces under wind loads are shown in table (3.5) and (3.6)

Table (3.5): Summary of Bending Moments and Shear Forces for Beam (C11-C10) under Wind loads

Level	Location		B.M (kN-m)	S.F (kN)
40 th	Support	Exterior	<u>±</u> 4	±1.5
		Interior	<u>+</u> 4	±1.5
39 th	Support	Exterior	±15	<u>±</u> 5

		Interior	±15	±5
38 th	Support	Exterior	±28.8	±11.5
		Interior	±28.8	±11.5
37	Support	Exterior	±43.3	±17.3
		Interior	±43.3	±17.3
36	Support	Exterior	±57.6	±23
		Interior	±57.6	±23
35	Support	Exterior	±70	±28.8
		Interior	±70	±28.8
34	Support	Exterior	±86.5	±34.6
		Interior	±86.5	±34.6
33	Support	Exterior	±100.5	±40.2
		Interior	±100.5	±40.2
32	Support	Exterior	±113.5	±45.4
		Interior	±113.5	±45.4
31	Support	Exterior	±130	±52
		Interior	±130	±52
30	Support	Exterior	±142.5	±57
		Interior	±142.5	±57
29	Support	Exterior	±157.5	±63
		Interior	±157.5	±63
28	Support	Exterior	<u>±</u> 170	±68
		Interior	<u>±</u> 170	±68
27	Support	Exterior	<u>±</u> 183	±73
		Interior	±183	±73
26	Support	Exterior	<u>±</u> 198	±79
		Interior	<u>±</u> 198	±79

25	Support	Exterior	<u>±</u> 213	±85
		Interior	<u>±213</u>	±85
24	Support	Exterior	±225	±90
	Support	Interior	±225	±90
23	Support	Exterior	±240	±96
		Interior	±240	±96
22	Support	Exterior	±253	±101
		Interior	±253	±101
21	Support	Exterior	±268	±107
		Interior	±268	±107
20	Support	Exterior	±280	±112
		Interior	±280	±112
19	Support	Exterior	±291	±117
		Interior	±291	±117
18	Support	Exterior	±307	±123
		Interior	±307	±123
17	Support	Exterior	±317.5	±127
		Interior	<u>+</u> 317.5	±127
16	Support	Exterior	±325	±130
		Interior	±325	±130
15	Support	Exterior	±352	±141
		Interior	±352	±141
14	Support	Exterior	±360	±144
		Interior	±360	±144
13	Support	Exterior	<u>±</u> 367	±147
		Interior	<u>±</u> 367	±147
12	Support	Exterior	<u>+</u> 398	±159

		Interior	±398	±159
11	Support	Exterior	±411	±165
		Interior	<u>±</u> 411	<u>±</u> 165
10	Support	Exterior	±440	±180
		Interior	<u>±</u> 440	<u>±</u> 180
9	Support	Exterior	±450	<u>±</u> 180
		Interior	±450	<u>±</u> 180
8	Support	Exterior	±450	±184
		Interior	±450	±184
7	Support	Exterior	±450	±180
		Interior	±450	±180
6 th	Support	Exterior	±450	±180
		Interior	±450	±180
5 th	Support	Exterior	±450	±180
		Interior	±450	±180
4 th	Support	Exterior	±400	±160
		Interior	±400	±160
3 rd	Support	Exterior	±425	±170
		Interior	±425	±170
2 nd	Support	Exterior	±450	±180
		Interior	±450	±180
1 st	Support	Exterior	±350	±140
		Interior	±350	±140

Table (3.6): Summary of Bending Moments and Shear Forces for Beam (C10-C9) under Wind Loads

level	Location	B.M (kN-m)	S.F (kN)
40 th	Support	±8	±3
39 th	Support	±25	±10
38	Support	±45	±18
37	Support	±58	±23
36	Support	±75	±30
35	Support	±90	±37
34	Support	±110	±45
33	Support	±115	±50
32	Support	±130	±55
31	Support	±150	±68
30	Support	±180	±75
29	Support	±210	±84
28	Support	±227	±91
27	Support	±242	±97
26	Support	±265	±106
25	Support	±282	±113
24	Support	±300	±120
23	Support	±320	±128
22	Support	±335	±135
21	Support	±355	±142
20	Support	±357	±143
19	Support	±370	±150
18	Support	±390	±157
17	Support	±417	±167
	I	1	

• Beams bending moment, shear forces diagrams due to wind loads are shown in figures bellow.

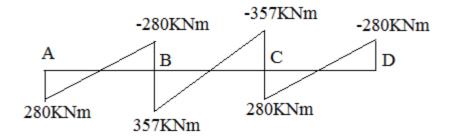


Fig. (3.6): Bending Moment Diagrams due to Wind Loads For Beam at 20th Story Level

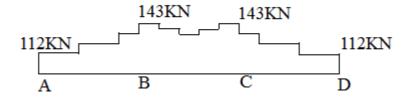


Fig. (3.7): Shear Forces Diagrams due to Wind Loads for Beam at 20th Story Level

3.3.6 Column C11 Axial Loads Calculations (at 40th Story Level)

- Dead load:

Tributary area $= 9m^2$

Column self weight = $0.8 \times 0.8(3.2 - 0.9 - 0.2) \times 24 = 32.3$ kN

Slab self weight within the tributary area = 36.3kN

Beam self weight within the tributary area = 29.2kN

Masonry weight =
$$5 \times 0.3 \times 1 \times 22 = 33$$
kN

Super imposed dead load for roof =9.7kN

Total axial loads at 40th story level

$$36.3 + 33 + 29.7 + 9.7 = 118.2$$
kN

- Live load =
$$0.96 \times 9 = 8.6$$
kN

Axial load due to dead, live and wind are shown in table (3.7)

Table (3.7): Summary of Axial Load for Col (C11)

Level	Height (m)	Dead Load (kN)	Live Load (kN)	Wind load (kN)
40 th	128.8	118.2	8.6	2
39 th	125.6	334.1	30.2	8
38	122.4	554.7	51.8	18.7
37	119.2	775.4	73.4	36
36	116	996	95	59
35	112.8	1216.6	116.6	87.8

34	109.6	1437.3	138.2	122.4
33	106.4	1657.9	159.8	162.6
32	103.2	1878.6	181.4	208
31	100	2099.2	203	260
30	96.8	2319.8	224.6	317
29	93.6	2540.5	246.6	380
28	90.4	2761.1	267.8	448
27	87.2	2981.8	289.4	521
26	84	3202.4	311	600
25	80.8	3423	332.6	685
24	77.6	3643.7	354.2	775
23	74.4	3864.32	375.8	871
22	71.2	4085	397.4	970
21	68	4305.6	419	1079
20	64.8	4526.2	440.6	1191
19	61.6	4746.9	462.2	1308
18	58.4	4967.5	483.8	1430
17	55.2	5188.2	505.4	1559
16	52	5408.8	527	1689
15	48.8	5629.4	548.6	1830
14	45.6	5850	570.2	1974
13	42.4	6070.7	591.8	2121
12	39.2	6291.4	613.4	2280
11	36	6512	635	2400
10	32.8	6732.6	656.6	2580
9	29.6	6953	678.2	2760
8	26.4	7173.9	699.8	2944
7	23.2	7394.6	721.4	3123
6	20	7615.2	743	3300
5	16.8	7835.8	764.6	3480
4 th	13.6	8056.5	786.2	3640
3 rd	10.4	8277	807.3	3780
			1	ı

2 nd	72	8497.8	829.4	3960
1 st	4	8718	851	4140
Base	0	8958	872.6	4140

Table (3.8): Summary of Bending Moments and Shear Forces for Col (C11)

Level	Location	Gravity load (Moments distribution method)	Wind load (C method)	antilever
		B.M (kNm)	B.M (kNm)	S.F (kN)
40 th	At Top	63	±5	3.1
	At Bottom	-94	±5	
39 th	At Top	36	±13	8
	At Bottom	-89	±13	
38	At Top	36	±18	11
	At Bottom	-89	±18	
37	At Top	36	±25.3	15.8
	At Bottom	-89	±25.3	
36	At Top	36	±30	18.7
	At Bottom	-89	±30	
35	At Top	36	±38	23.7
	At Bottom	-89	±38	
34	At Top	36	±47	29.4
	At Bottom	-89	±47	
33	At Top	36	±53	33
	At Bottom	-89	±53	
32	At Top	36	±60	37.5
	At Bottom	-89	±60	
31	At Top	36	±70	43.7
	At Bottom	-89	±70	
30	At Top	36	±73	45.6
	At Bottom	-89	±73	
29	At Top	36	±84	52

	At Bottom	-89	±84	
28	At Top	36	±86	54
	At Bottom	-89	±86	
27	At Top	36	±95	59.4
	At Bottom	-89	±95	
26	At Top	36	±103	64.4
	At Bottom	-89	±103	
25	At Top	36	±110	68.8
	At Bottom	-89	±110	
24	At Top	36	±115	72
	At Bottom	-89	±115	
23	At Top	36	±125	79
	At Bottom	-89	±125	
22	At Top	36	±128	81
	At Bottom	-89	±128	
21	At Top	36	±139	87
	At Bottom	-89	±139	
20	At Top	36	±142	89
	At Bottom	-89	±142	
19	At Top	36	±149	94
	At Bottom	-89	±149	
18	At Top	36	±158	98
	At Bottom	-89	±158	
17	At Top	36	±162	101
	At Bottom	-89	±162	
16	At Top	36	±166	103
	At Bottom	-89	±166	
15	At Top	36	±180	112
	At Bottom	-89	±180	
14	At Top	36	±180	112
	At Bottom	-89	±180	
13	At Top	36	±192	117

	At Bottom	-89	±192	
12	At Top	36	±200	125
	At Bottom	-89	±200	
11	At Top	36	±200	125
	At Bottom	-89	±200	
10	At Top	36	±203	127
	At Bottom	-89	±203	
9	At Top	36	±215	134
	At Bottom	-89	±215	
8	At Top	36	±220	138
	At Bottom	-89	±220	
7	At Top	36	±227	142
	At Bottom	-89	±227	
6 th	At Top	36	±231	144
	At Bottom	-89	±231	
5 th	At Top	36	±247	147
	At Bottom	-89	±247	
4 th	At Top	36	±255	159
	At Bottom	-89	±255	
3 rd	At Top	36	±260	167
	At Bottom	-89	±260	
2 nd	At Top	36	±285	178
	At Bottom	-89	±285	
1 st	At Top	34	±297.5	186
	At Bottom	-17	±665	

• Column bending moment diagrams due to gravity loads and wind loads are shown in Fig. (3.8)

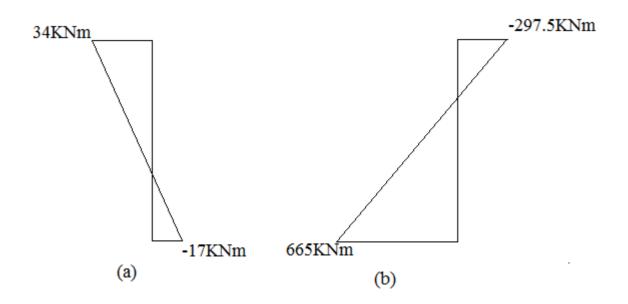


Fig. (3.8): Bending Moment Diagrams for Column (C11) at First Story Level due to (a) Gravity Loads (b) Wind Loads

3.4.7 Column C10 Axial Loads Calculations at 40th Story Level

- Dead load:

Tributary area = $15m^2$

Column self weight = $0.8 \times 0.8(3.2 - 0.9 - 0.2) \times 24 = 32.3$ kN

Slab self weight within the tributary area = 69.6kN

Beam self weight within the tributary area = 46kN

Masonry weight = $5 \times 0.3 \times 1 \times 22 = 33k$

Superimposed dead load for roof = $1.07 \times 15 = 17.2$ kN

Total axial loads at 40th story level due to dead loads;

$$70 + 46 + 33 + 17.2 = 167$$
kN

- Live load = $0.96 \times 15 = 14.4$ kN

Axial load due to dead, live and wind are shown in table (3.9)

Table (3.9): Summary of Axial Forces for Col (C10)

Level	Height(m)	Dead Load (kN)	Live Load (kN)	Wind Load (kN)
40 th	128.8	167	14.4	1
39 th	125.6	433.8	50.4	3
38	122.4	700.6	86.4	6.2
37	119.2	967.4	122.4	12
36	116	1234.1	158.4	20
35	112.8	1501	194.4	29
34	109.6	1767.8	230.4	40.8
33	106.4	2034.6	266.4	54
32	103.2	2301.4	302.4	69
31	100	2568.2	338.4	86
30	96.8	2835	374.4	105.6
29	93.6	3101.8	410.4	126
28	90.4	3368.6	446.4	149
27	87.2	3635.4	482.4	173
26	84	3902.2	518.4	200
25	80.8	4169	554.4	228
24	77.6	4435.8	590.4	258
23	74.4	4702.6	626.4	290
22	71.2	4969.4	662.4	324
21	68	5236.2	698.4	359
20	64.8	5503	734.4	396
19	61.6	5769.8	770.4	436
18	58.4	6036.4	806.4	470
17	55.2	6303.2	842.4	510
16	52	6570	878.4	560
15	48.8	6836.8	914.4	610
14	45.6	7103.6	950.4	650
13	42.4	7370.4	986.4	700
12	39.2	7637.2	1022.4	760

11	36	7904	1058.4	800
10	32.8	8170.8	1094.4	850
9	29.6	8437.6	1130.4	900
8	26.4	8704.4	1202.4	950
7	23.2	8971.2	1238.4	1000
6	20	9238	1274.4	1050
5	16.8	9504.8	1310.4	1100
4 th	13.6	9771.6	1346.4	1150
3 rd	10.4	10038	1382.4	1200
2 nd	7.2	10305.2	1418.4	1300
1 st	4	10591.2	1454.4	1380
Base	0	10858	1490.4	1380

Table (3.10): Summary of Bending Moments and Shear Forces for Col (C10)

Level	Location	Gravity load (Moments	Wind load (Cantilever
		distribution method)	method)	
		B.M (kN-m)	B.M (kN-m)	S.F (kN)
40 th	At Top	22	±13	±8.1
	At Bottom	-24	±13	
39 th	At Top	18	±26	±16.3
	At Bottom	-20	±26	
38	At Top	18	±47	±30
	At Bottom	-20	±47	
37	At Top	18	±54	±34
	At Bottom	-20	±58	
36	At Top	18	±71	±44
	At Bottom	-20	±71	
35	At Top	18	±89	±55
	At Bottom	-20	±89	

34	At Top	18	±100	±63
	At Bottom	-20	±100	
33	At Top	18	±115	±72
	At Bottom	-20	±115	
32	At Top	18	±120	±75
	At Bottom	-20	±120	
31	At Top	18	±150	±94
	At Bottom	-20	±150	
30	At Top	18	±170	±106
	At Bottom	-20	±170	
29	At Top	18	±190	±124
	At Bottom	-20	±190	
28	At Top	18	±207	±129
	At Bottom	-20	±207	
27	At Top	18	±218	±136
	At Bottom	5.7	±218	
26	At Top	18	±238	±149
	At Bottom	-20	±238	
25	At Top	18	±257	±161
	At Bottom	-20	±257	
24	At Top	18	±268	±168
	At Bottom	-20	±268	
23	At Top	18	±290	±181
	At Bottom	-20	±290	
22	At Top	18	±298	±186
	At Bottom	-20	±298	
21	At Top	18	±315	±198
	At Bottom	-20	±315	
20	At Top	18	±322	±200
	At Bottom	-20	±322	
19	At Top	18	±344	±215
	At Bottom	-20	±344	
	1		L	

18	At Top	18	±353	±221
10	At Bottom	-20	±353	
17	At Top	18	±380	±237
1 /	At Bottom	-20	±380	
16		18	±396	±247
10	At Top At Bottom	-20	±396	
1.5				+265
15	At Top	18	±424	±265
	At Bottom	-20	±424	
14	At Top	18	±436	±272
	At Bottom	-20	±436	
13	At Top	18	±436	±272
	At Bottom	-20	±436	
12	At Top	18	±454	±284
	At Bottom	-20	±454	
11	At Top	18	±476	±297
	At Bottom	-20	±476	
10	At Top	18	±480	±300
	At Bottom	-20	±480	
9	At Top	18	±502	±313
	At Bottom	-20	±502	
8	At Top	18	±518	±324
	At Bottom	-20	±518	
7	At Top	18	±507	±317
	At Bottom	-20	±507	
6	At Top	18	±532	±332
	At Bottom	-20	±532	
5	At Top	18	±463	±289
	At Bottom	-20	±463	
4 th	At Top	18	±475	±297
	At Bottom	-20	±475	
3 rd	At Top	18	±522	±326
	At Bottom	-20	±522	

2 nd	At Top	5	±598	±374
	At Bottom	-6	±598	
1 st	At Top	2.3	±622	±389
	At Bottom	-2.4	±622	

Table (3.11): Summary of Design Bending Moments and Axial Force at the Base of Core.

Load Cases	Axial (kN)	Bending (kNm)	Shear (kN)
Dead	35239	0	0
Live	5183	0	0
Wind	0	116620	1715

3.4 Design Results:

3.4.1 Design of Slab:

- Two way solid slab designed by direct design method, it is currently the most common method of analysis in designing concrete floor systems.

Moment transfer between the slab, beam and column, the structure is divided into a series of equivalent frames along support lines. Each frame consists of a row of columns and corresponding slab-beam strip.

Floor slab and roof slab design calculations are shown in tables (3.13) and (3.15)

Table (3.12): Summary of Design Bending Moments for slab (an Edge Panel)

Cases	Location	Column strip moment		Middle strip
		Beam	Slab	slab moment
Floors	Interior negative	55.3	10	22
	Interior positive	45.3	8	20

	Exterior negative	17	3	0
Roof	Interior negative	45.3	8	18.1
	Interior positive	37.4	7	14.2
	Exterior negative	14	2.5	0

Table (3.13): Floor Design Calculations

Reference	Calculation	Out put
	- computing α_1 for both direction	
ACI318-05	Gross moment of inertia of slab 5m wide	
Eq. (13-3)	$I_s = (1/12)(5 \times 0.2^3)$	0.0033m^4
	Gross I of T beam cross section about centered axis	
	for interior beams	
	$I_b = 1.9 \times 0.2^3 / 3 + 0.3 \times 0.9^3 / 3$	0.079m^2
	$\alpha_1 = EI_b/EI_s = 0.079/0.0033$	23.9
	For edge beams (width = $5/2+0.15 = 2.65$ m)	
	$I_s = 2.65 \times 0.2^3 / 12$	0.0018m^4
	I for edge beams = $1.2 \times 0.2^3/3 + 0.3 \times 0.9^3/3$	0.076m^4
	$\alpha_2 = 0.076/0.0018$	42.2
	$\alpha_{\rm m} = (2 \times 23.9 + 42.2 \times 2)/4$	33 > 2
	$h = l_n(0.8 + f_y/1400)/(36 + 9\beta)$	
	$l_{\text{n(long and short)}} = 5-0.8$	4.2m
	$\beta = 5/5$	1
	h= 4200(0.8+420/1400)/(36+9)	103mm
	O.K. 200mm be satisfy	
ACI318-05	- Moment for the both spans for floors slab:	

Eq. (13-4) $M_u = (wl_2)(l_n^2)/8 = 11.14 \times 5 \times 4.2^2/8$ 123kNm -Check shear strength in the slab at a distance d from the face of the beam, shear is assumed to be produced by the load on the tributary area, working with a 1m wide strip. $d = h - cover - half bar diameter$ $= 200-25-6$ 169mm Design of $V_u = W_u(S_w/2-beam thickness/2-d)$ =11.14 (2.5-0.15-0.169) 24.3kN Concrete Design shear strength $V_u = V_u = V_u + V_u = V_u + $	Eq. (9.2)	$w_u = (1.2 \times 6.3) + (1.6 \times 2.4)$	11.14N/m ²
from the face of the beam, shear is assumed to be produced by the load on the tributary area, working with a 1m wide strip. $d = h - \text{cover} - \text{half bar diameter}$ $= 200-25-6$ $-\text{Design shear forces at critical section:}$ $V_u = W_u(S_n/2-\text{beam thickness/2-d})$ $= 11.14 (2.5-0.15-0.169)$ Concrete $Design shear strength$ ACI318-05 Seven $= 0.75\sqrt{3}5\times1000\times169/6$ edition $\emptyset V_c = 0.75\sqrt{f}_c \text{bd/6}$ $= 0.75\sqrt{3}5\times1000\times169/6$ edition $\emptyset V_c > V_u, \text{ (section is satisfactory depended on shear requirements)}$ $-\text{Dividing this static design moment into negative and positive portions,}$ $\text{Interior negative design moment} = 0.7\times123$ $\text{Positive design moment} = 0.57\times123$ $\text{Exterior negative design moment} = 0.16\times123$ $-\text{Allotting these moments to beam and column}$ strips, $1_2/1_1$ $\alpha_1 l_1/l_2 \text{ (in direction of both long and short span)}$ $\text{The portion of the interior negative moment to be}$	Eq. (13-4)	$M_u = (wl_2)(l_n^2)/8 = 11.14 \times 5 \times 4.2^2/8$	123kNm
from the face of the beam, shear is assumed to be produced by the load on the tributary area, working with a 1m wide strip. $d = h - \text{cover} - \text{half bar diameter}$ $= 200-25-6$ $-\text{Design shear forces at critical section:}$ $V_u = W_u(S_n/2-\text{beam thickness/2-d})$ $= 11.14 (2.5-0.15-0.169)$ Concrete $Design shear strength$ ACI318-05 Seven $= 0.75\sqrt{3}5\times1000\times169/6$ edition $\emptyset V_c = 0.75\sqrt{f}_c \text{bd/6}$ $= 0.75\sqrt{3}5\times1000\times169/6$ edition $\emptyset V_c > V_u, \text{ (section is satisfactory depended on shear requirements)}$ $-\text{Dividing this static design moment into negative and positive portions,}$ $\text{Interior negative design moment} = 0.7\times123$ $\text{Positive design moment} = 0.57\times123$ $\text{Exterior negative design moment} = 0.16\times123$ $-\text{Allotting these moments to beam and column}$ strips, $1_2/1_1$ $\alpha_1 l_1/l_2 \text{ (in direction of both long and short span)}$ $\text{The portion of the interior negative moment to be}$			
produced by the load on the tributary area, working with a 1m wide strip. $d = h - cover - half bar diameter$ $= 200-25-6$ $-Design shear forces at critical section:$ $V_u = W_u(S_n/2-beam thickness/2-d)$ $= 11.14 (2.5-0.15-0.169)$ $Concrete$ $Design shear strength$ $ACI318-05$ $Seven$ $= 0.75\sqrt{3}5\times1000\times169/6$ $= 0.75\sqrt{3}5\times1000\times169/6$ edition $\phi V_c > V_u, \text{ (section is satisfactory depended on shear requirements)}$ $-Dividing this static design moment into negative and positive portions,$ $Interior negative design moment = 0.7\times123$ $Positive design moment = 0.57\times123$ $Exterior negative design moment = 0.16\times123$ $-Allotting these moments to beam and column strips,$ $1_2/1_1$ $\alpha_1 l_1/l_2 \text{ (in direction of both long and short span)}$ $ACI318-05$ $13.6.4.1$ 1 23.9		-Check shear strength in the slab at a distance d	
with a 1m wide strip. $d = h - cover - half bar diameter$ $= 200-25-6$ $-Design shear forces at critical section:$ $V_u = W_u(S_n/2-beam thickness/2-d)$ $= 11.14 (2.5-0.15-0.169)$ $24.3kN$ Concrete $ACI318-05$ $Seven$ $= 0.75\sqrt{1}e^bd/6$ $= 0.75\sqrt{3}5\times1000\times169/6$ edition $\phi V_c > V_u, \text{ (section is satisfactory depended on shear requirements)}$ $-Dividing this static design moment into negative and positive portions, Interior negative design moment = 0.7\times123$ $Positive design moment = 0.57\times123$ $Exterior negative design moment = 0.16\times123$ $-Allotting these moments to beam and column strips, _2/l_1 \alpha_1 l_1/l_2 \text{ (in direction of both long and short span)} ACI318-05 13.6.4.1 The portion of the interior negative moment to be$		from the face of the beam, shear is assumed to be	
$d = h - cover - half bar diameter \\ = 200-25-6 \\ -Design shear forces at critical section: \\ V_u = W_u(S_n/2-beam thickness/2-d) \\ = 11.14 (2.5-0.15-0.169) \\ Design shear strength \\ ACI318-05 \\ Seven \\ = 0.75\sqrt{3}5\times1000\times169/6 \\ edition \\ ØV_c > V_u, (section is satisfactory depended on shear requirements) \\ -Dividing this static design moment into negative and positive portions, Interior negative design moment = 0.7\times123 87kNm 71kNm 87kNm 87$		produced by the load on the tributary area, working	
$= 200-25-6 \\ -Design shear forces at critical section: \\ V_u = W_u(S_n/2-beam thickness/2-d) \\ = 11.14 (2.5-0.15-0.169) \\ 24.3kN \\ Concrete \\ ACI318-05 \\ Seven \\ edition \\ 0V_c = 0.75\sqrt{f_cbd/6} \\ = 0.75\sqrt{35\times1000\times169/6} \\ edition \\ 0V_c > V_u, (section is satisfactory depended on shear requirements) \\ -Dividing this static design moment into negative and positive portions, Interior negative design moment = 0.7×123 \\ Positive design moment = 0.57×123 \\ Exterior negative design moment = 0.16×123 \\ -Allotting these moments to beam and column strips, \frac{1}{2}/l_1 \alpha_1 l_1/l_2 \text{ (in direction of both long and short span)} The portion of the interior negative moment to be$		with a 1m wide strip.	
-Design shear forces at critical section: $V_u = W_u(S_n/2\text{-beam thickness/2-d})$ $=11.14 (2.5\text{-}0.15\text{-}0.169)$ Concrete Design shear strength $\phi V_c = 0.75\sqrt{f}_c \text{bd/6}$ Seven $\phi V_c = 0.75\sqrt{5} \times 1000 \times 169/6$ edition $\phi V_c > V_u$, (section is satisfactory depended on shear requirements) -Dividing this static design moment into negative and positive portions, Interior negative design moment = 0.7×123 Positive design moment = 0.57×123 Exterior negative design moment = 0.16×123 -Allotting these moments to beam and column strips, $V_u = W_u(S_n/2\text{-beam thickness/2-d})$ 11 ACI318-05 ACI318-05 ACI318-05 The portion of the interior negative moment to be		d = h - cover - half bar diameter	
Design of Reinforced $V_u = W_u(S_n/2\text{-beam thickness/2-d})$ =11.14 (2.5-0.15-0.169) 24.3kN Concrete Design shear strength $\emptyset V_c = 0.75\sqrt{f_c}bd/6$		= 200-25-6	169mm
Reinforced $=11.14 (2.5-0.15-0.169)$ 24.3kN Concrete Design shear strength $ACI318-05$ $\emptyset V_c = 0.75\sqrt{f'_c}bd/6$ 125kN edition $\emptyset V_c > V_u$, (section is satisfactory depended on shear requirements) -Dividing this static design moment into negative and positive portions, Interior negative design moment = 0.7×123 87kNm Positive design moment = 0.57×123 87kNm Positive design moment = 0.16×123 71kNm Exterior negative design moment = 0.16×123 20kNm ACI13-6-4 -Allotting these moments to beam and column strips, I_2/I_1 1 23.9 ACI318-05 The portion of the interior negative moment to be		-Design shear forces at critical section:	
Concrete ACI318-05 Seven edition $0 V_c = 0.75 \sqrt{f'_c} \text{bd/6}$ $0 V_c = 0.75 \sqrt{f'_c} \text{bd/6}$ edition $0 V_c > V_u$, (section is satisfactory depended on shear requirements) -Dividing this static design moment into negative and positive portions, Interior negative design moment = 0.7×123 Positive design moment = 0.57×123 Exterior negative design moment = 0.16×123 -Allotting these moments to beam and column strips, $1_2/1_1$ $\alpha_1 1_1/1_2$ (in direction of both long and short span) The portion of the interior negative moment to be	Design of	$V_u = W_u(S_n/2\text{-beam thickness/2-d})$	
ACI318-05 $\emptyset V_c = 0.75\sqrt{f'_c}bd/6$ Seven $= 0.75\sqrt{35}\times1000\times169/6$ $\emptyset V_c > V_u$, (section is satisfactory depended on shear requirements) ACI318-05 -Dividing this static design moment into negative and positive portions, Interior negative design moment = 0.7×123 Positive design moment = 0.57×123 Exterior negative design moment = 0.16×123 -Allotting these moments to beam and column strips, $1_2/l_1$ $\alpha_1 l_1/l_2$ (in direction of both long and short span) ACI318-05 The portion of the interior negative moment to be	Reinforced	=11.14 (2.5-0.15-0.169)	24.3kN
Seven $= 0.75\sqrt{35 \times 1000 \times 169/6}$ $0 \text{V }_c \text{V}_u$, (section is satisfactory depended on shear requirements) ACI318-05 -Dividing this static design moment into negative and positive portions, Interior negative design moment $= 0.7 \times 123$ 0.70km Positive design moment $= 0.57 \times 123$ 0.70km Exterior negative design moment $= 0.16 \times 123$ 0.70km ACI318-05 -Allotting these moments to beam and column strips, $1 \times 10^{12} \text{l}_1 \text{cm}$ $1 \times 10^{12} \text{l}_2 \text{l}_1 \text{cm}$ $1 \times 10^{12} \text{l}_2 \text{l}_1 \text{cm}$ The portion of the interior negative moment to be	Concrete	Design shear strength	
edition $\emptyset V_c > V_u$, (section is satisfactory depended on shear requirements) -Dividing this static design moment into negative and positive portions, Interior negative design moment = 0.7×123 Positive design moment = 0.57×123 Exterior negative design moment = 0.16×123 -Allotting these moments to beam and column strips, $1_2/l_1$ $\alpha_1 l_1/l_2$ (in direction of both long and short span) The portion of the interior negative moment to be	ACI318-05	$\emptyset V_{c} = 0.75 \sqrt{f'_{c}bd/6}$	
ACI318-05 13.6.3.3 ACI318-05 13.6.3.3 ACI318-05 13.6.3.3 ACI318-05 ACI318-05 ACI318-05 ACI318-05 ACI318-05 ACI318-05 ACI318-05 The portion of the interior negative moment to be Tequirements satisfactory depended on shear requirements and requirements and positive design moment into negative and positive design moment = 0.7×123 87kNm 71kNm 20kNm 11 23.9	Seven	$=0.75\sqrt{35}\times1000\times169/6$	125kN
ACI318-05 13.6.3.3 -Dividing this static design moment into negative and positive portions, Interior negative design moment = 0.7×123 Positive design moment = 0.57×123 Exterior negative design moment = 0.16×123 -Allotting these moments to beam and column strips, $1_2/l_1$ ACI318-05 13.6.4.1 -Dividing this static design moment into negative and positive design moment = 0.7×123 87kNm 71kNm 20kNm 1 23.9	edition	ØV c> Vu, (section is satisfactory depended on shear	
and positive portions, Interior negative design moment = 0.7×123 Positive design moment = 0.57×123 Exterior negative design moment = 0.16×123 ACI13-6-4 ACI13-6-4 ACI318-05 The portion of the interior negative moment to be 13.6.4.1 87kNm 71kNm 20kNm 1 20kNm 1 23.9		requirements)	
Interior negative design moment = 0.7×123 Positive design moment = 0.57×123 Exterior negative design moment = 0.16×123 -Allotting these moments to beam and column strips, l_2/l_1 $\alpha_1 l_1/l_2$ (in direction of both long and short span) The portion of the interior negative moment to be	ACI318-05	-Dividing this static design moment into negative	
Positive design moment = 0.7×123 Exterior negative design moment = 0.16×123 -Allotting these moments to beam and column strips, l_2/l_1 ACI318-05 The portion of the interior negative moment to be 13 6 4 1 TakNm 20kNm 1 23.9	13.6.3.3	and positive portions,	
Exterior negative design moment = 0.37×123 Exterior negative design moment = 0.16×123 -Allotting these moments to beam and column strips, l_2/l_1 ACI318-05 The portion of the interior negative moment to be 13.6.4.1 20kNm 20kNm 1 23.9		Interior negative design moment = 0.7×123	87kNm
ACI13-6-4 -Allotting these moments to beam and column strips, l_2/l_1 ACI318-05 ACI318-05 The portion of the interior negative moment to be 13 6 4 1		Positive design moment = 0.57×123	
Action of the interior negative moment to be a mand column strips, l_2/l_1 $\alpha_1 l_1/l_2$ (in direction of both long and short span) The portion of the interior negative moment to be		Exterior negative design moment = 0.16×123	20kNm
$\begin{array}{c c} & l_2/l_1 & & 1 \\ & \alpha_1 l_1/l_2 \text{ (in direction of both long and short span)} \\ \text{ACI318-05} & \text{The portion of the interior negative moment to be} \end{array}$	ACI13-6-4	-Allotting these moments to beam and column	
ACI318-05 ACI318-05 The portion of the interior negative moment to be $ \begin{array}{c} $		strips,	
ACI318-05 $\frac{\alpha_1 I_1/I_2 \text{ (in direction of both long and short span)}}{\text{The portion of the interior negative moment to be}$		l_2/l_1	
13 6 4 1		$\alpha_1 l_1/l_2$ (in direction of both long and short span)	23.9
resisted by the column strip,		The portion of the interior negative moment to be	
ı	13.6.4.1	resisted by the column strip,	

	0.75×-87	-65kNm
ACI318-05	This -65 is allotted 0.85% to the beam,	-55.3kNm
13.5.6	and 15% to the slab, or	-10kNm
	The remaining negative moment, 87-65 is	22kNm
	Allotted to the middle strip.	
ACI318-05	The portion of the exterior negative moment to be	
13.6.4.2	resisted by the column strip,	
	$\beta_t = E_{cb}C/2E_{cs}I_S$	
	$C = \sum (1 - 0.63x/y)x3y/3 = .001 = 0$	0.001
	Exterior negative moment = 1×-20 KN/m, this	-20kNm
	allotted 0.85% to the beam,	-17kN/m
ACI318-05	and 15% to the slab, no moment at the middle strip.	-3kNm
13.6.4.4	The portion of the interior positive moment to be	
	resisted by the column strip, 0.75×71	53.3kNm
	This value 0.85% to the beam,	45.3kNm
	and 0.15% to the slab,	8kNm
	The remaining positive moment,	
	71-53.3 goes to the middle strip	20kNm
	- Moment for the both spans for roof:	
	$w_u = (1.2 \times 6.36) + (1.6 \times 0.96)$	9.2 k N/m^2
	$M_u = (wl_2)(l_n^2)/8 = 9.2 \times 5 \times 4.2^2/8$	102kNm
	-Check shear strength in the slab at a distance d	
	from the face of the beam, shear is assumed to be	
	produced by the load on the tributary area, working	
	with a 1m wide strip.	
	d = h - cover - half bar diameter	
	= 200-25-6	169mm
	-Design shear forces capacity at critical section(at	
•	•	•

	distance d from the face of beam:	
	$V_u = W_u(S_n/2\text{-beam thickness/2-d})$	
	=9.2 (2.5-0.15-0.169)	20.1kN
	Design shear strength	
	$\emptyset V_{c} = 0.75 \sqrt{f'_{c} bd/6}$	
ACI 9.3.2.1	$\emptyset = 0.9$ (tension controlled section)	
	$= 0.75\sqrt{35} \times 1000 \times 169/6$	125kN
	ØV _c > V _u , (section is satisfactory	
	depended on shear requirements)	
ACI318-05	-Dividing this static design moment into negative	
13.6.3.3	and positive portions,	
	Interior negative design moment = 0.7×102	71.4kNm
	Positive design moment = 0.57×102	58.2kNm
	Exterior negative design moment = 0.16×102	16.3kNm
	-Allotting these moments to beam and column	
	strips, as per section 13.6.4 of the code:	
	$l_2/l_1 = 5/5$	1
ACI318-05	$\alpha_1 l_1 / l_2$ (in direction of both short and long span)	23.9
13.6.4.1	The portion of the interior negative moment to be	
	resisted by the column strip, 0.75×-71.4 This -53.3	-53.3kNm
	is allotted 0.85% to the beam,	-45.3kNm
ACI318-05	and 15% to the slab,	8kNm
13.5.6	The remaining negative moment, 71.4-53.3, is	18.1kNm
	allotted to the middle strip.	
	The portion of the exterior negative moment to be	
A C1210 07	resisted by the column strip,	
ACI318-05	$\beta_{t} = E_{cb}C/2E_{cs}I_{S}$	0.001
13.6.4.2	$C = \sum (1 - 0.63x/y)x3y/3 = .001 = 0$	0.001

Eq. (13-5)	Exterior negative moment = 1×-16.5 this allotted	-16.5kNm
Eq. (13-6)	0.85% to the beam, and 15% to the slab, no moment	-14kNm
	at the middle strip.	-2.5kNm
	The portion of the interior positive moment to be	
	resisted by the column strip, 0.75×58.2 , This value	44kNm
	0.85% to the beam, and 0.15% to the slab, The	37.4kNm
ACI318-05	remaining positive moment,	7kNm
13.6.4.4	58.2-44 goes to the middle strip.	
	1.Floor slab design	14.2kNm
	a-Design of steel in column strip:	
	*M _u (interior negative)	10kNm
	The minimum reinforcement is that required for	
	control of shrinkage and temperature cracking	
ACI7.12.2.1	$A_{\text{smin}} = 0.0018\text{bh}$	
	$= 0.0018 \times 1000 \times 200$	360mm ²
	ρ_{min} (in both direction) = 360/(1000×169)	0.00213
	$M_u/\emptyset bd^2 = 10 \times 10^6/(0.9 \times 0.25 \times 5000 \times 169^2)$	3.2
	m = 14.1	
Design of	$\rho = 1/14.1(1-\sqrt{(1-(2\times14.1\times3.2/420))}) > \rho_{\min}$	0.0081
Reinforced	$A_s = 0.0081 \times 1250 \times 169$	1700mm ²
Concrete	Use 13-No12 ($A_{\text{sprovide}} = 1700 \text{mm}^2$)	
ACI318-05	-Moment transfer design:	
Seven	additional bars must be added over the column in a	
edition	width = column diameter $+ (2)(1.5h)$	
	$= 0.8 + (2 \times 1.5 \times 0.2)$	1.4m
	The additional reinforcing needed over the column	
	is to be designed for a moment	
	$\gamma_{\rm f} = 1/(1+2/3\sqrt{(b_1/b_2)})$	
	• "	

	$= 1/(1+2/3\sqrt{(0.925/0.925)})$	0.6
	Reminder of the unbalanced moment	
ACI318-05	$\gamma_{\rm v} = 1-0.6$	0.4
13.5.3.2	$\gamma_{\rm f} M_{\rm u} = 0.6 \times 10$	6kNm
ACI318-05	$M_u/\emptyset bd^2 = 6 \times 10^6/(0.9 \times 1400 \times 169^2)$	0.17
Eq. (11-39)	$\rho_{\min}(=0.00213)$	
	$\rho = .0004 < 0.00213$	2
	$A_s = 0.00213 \times 1400 \times 169$	504mm ²
	Add 4-No 12 bars in the 1.4m width and check to	
	see the moment transfer situation is satisfactory.	5 1
Dogian of	$a = A_s f_y/(0.85 f_c' b) = 504 \times 420/(0.85 \times 35 \times 1400)$	5.1mm
Design of Reinforced	$\emptyset M_n = \emptyset A_s f_y(d-a/2)$	31.7kNm>
Concrete	= 0.9(504)(420)(169-5.1/2)	6kNm
ACI318-05		OKIVIII
Seven	-Compute combined shear stress at exterior column	
edition	due to shear and moment transfer	
	-Nominal moment strength of full column strip with	
	17-No 12 bars(2205mm ²)	12.45mm
	$a = 2205 \times 420/(0.85 \times 35 \times 2500)$	150kNm
	$M_n = 2205 \times 420(169 - 12.45/2)$	
	-Fraction of unbalanced moment carried by	
	eccentricity of shear =	60kNm
	$\gamma_{\rm v} M_{\rm n} = 150 \times 0.4$	8kNm
	*M _u (positive)	0.21
	$M_u/\emptyset bd^2 = 8 \times 10^6/(0.9 \times 1250 \times 169^2)$	
	m = 14.1	0.00061
	$\rho = 1/14.1(1-\sqrt{(1-(2\times14.1\times0.21/420))})$	

	$<\rho_{\min}(=0.00213)$	
	$A_s = 0.00213 \times 1250 \times 169$	450mm ²
	Use 4-No12 in two directions(A _{sprovide} =492mm ²)	
	*M _u (Exterior negative)	3kNm
	$M_u/\emptyset bd^2 = 3 \times 10^6/(0.9 \times .25 \times 5000 \times 169^2)$	0.1
	m = 14.1	
	$\rho = 1/14.1(1-\sqrt{(1-(2\times14.1\times0.1/420))})$	0.00055
	$<\rho_{\min}(=0.00213)$	
	$A_s = 0.00213 \times 1250 \times 169$	450mm ²
	Use 4-No12 in two directions ($A_{sprovide} = 492 \text{mm}^2$)	
	b. Design of steel in middle strip:	
	*M _u (interior negative)	22kNm
	$M_u/\emptyset bd^2 = 22 \times 10^6/(0.9 \times .5 \times 5000 \times 169^2)$	0.34
	m = 14.1	
	$\rho = 1/14.1(1-\sqrt{(1-(2\times14.1\times0.34/420)))}$	0.00081
	$<\rho_{\min}(=0.00213)$	
	$A_s = 0.00213 \times 2500 \times 169$	900mm ²
	Use 8-No12 in two directions(A _{sprovide} =985mm ²)	
	*M _u (interior positive)	20kNm
Design of	$M_u/\emptyset bd^2 = 20 \times 10^6/(0.9 \times 2500 \times 169^2)$	0.31
Reinforced	m = 14.1	
Concrete	$\rho = 1/14.1(1-\sqrt{(1-(2\times14.1\times0.31/420)))}$	0.0007
ACI318-05	$<\rho_{\min}(=0.00213)$	2
Seven	$A_s = 0.00213 \times 2500 \times 169$	900mm ²
edition	Use 8-No12in both directions($A_{sprovide} = 985 \text{mm}^2$)	

Table (3.14): Required Floors Reinforcement

Strip cases	Location	moment		$A_s(mm^2)$	Number of
					bars No-12
5m span Two	Exterior	3	0.00213	492	4
column strip	negative				
	positive	8	0.00213	492	4
	Interior	10	0.0081	1700	13
	Negative				
Middle strip	Exterior	0	0	0	0
	Negative				
	Positive	20	0.00213	985	8
	Interior	22	0.00213	985	8
	Negative				

Table (3.15): Roof Design Calculations

Reference	Calculations	Out Put
	2.Roof design	
	a. Design of steel in column strip	
	*M _u (interior negative)	8kNm
ACI7.12.2.1	The minimum reinforcement is that required for	
	control of shrinkage and temperature cracking	
	$A_s = 0.0018bh$	
	$= 0.0018 \times 1000 \times 200$	360mm ²
	ρ_{min} (in both direction) = 360/(1000×169)	0.00213
Design of	$M_u/\emptyset bd^2 = 8 \times 10^6/(0.9 \times 0.25 \times 5000 \times 169^2)$	2.6
Reinforced	m = 14.1	
Concrete	$\rho = 1/14.1(1-\sqrt{(1-(2\times14.1\times2.6/420))}) > \rho_{\min}$	0.0065
ACI318-05	$A_s = 0.0065 \times 1250 \times 169$	1373mm ²

Seven edition	Use 11-No12 (A _{sprovide} = 1375mm ²)	
	-Moment transfer design:	
	The code 13.5.3.2 state that additional bars must be	
	added over the column in a width = column diameter	
	+ (2)(1.5h)	
	$= 0.8 + (2 \times 1.5 \times 0.2)$	1.4m
ACI318-05	The additional reinforcing needed over the column is	
13.5.3.2	to be designed for a moment	
	$\gamma_{\rm f} = 1/(1+2/3\sqrt{(b_1/b_2)})$	
	$= 1/(1+2/3\sqrt{(0.925/0.925)})$	0.6
	$\gamma_{\rm v} = 1 - 0.6 = 0.4$ (reminder of the unbalanced moment)	
ACI318-05	$\gamma_{\rm f} M_{\rm u} = 0.6 \times 8$	5kNm
Eq. (11-39)	$M_u/\emptyset bd^2 = 5 \times 10^6/(0.9 \times 1400 \times 169^2)$	0.14
	$\rho = .0003 < 0.00213$	
	$\rho_{\min}(=0.00213)$	504 2
	$A_s = 0.00213 \times 1400 \times 169$	504mm ²
	Add 4-No 12 bars in the 1.4m width and check to see	
	the moment transfer situation is satisfactory.	5.1mm
Design of	$a = A_s f_y/(0.85 f_c' b) = 504 \times 420/(0.85 \times 35 \times 1400)$	3.1111111
Reinforced		
Concrete	$\emptyset \mathbf{M}_{\mathbf{n}} = \emptyset \mathbf{A}_{\mathbf{s}} \mathbf{f}_{\mathbf{y}} (\mathbf{d} - \mathbf{a}/2)$	31.7kNm
ACI318-05	= 0.9(504)(420)(169-5.1/2)	< 5kNm
Seven edition		
	-Compute combined shear stress at exterior column	
	due to shear and moment transfer	
	-Nominal moment strength of full column strip with	

	15-No 12 bars(1880mm ²)	
	$a = 1880 \times 420/(0.85 \times 35 \times 2500)$	10.6mm
	$M_n = 1880 \times 420(169 - 10.6/2)$	129.3kNm
	-Fraction of unbalanced moment carried by	
	eccentricity of shear	
	$\gamma_{\rm v} \rm M_n = 129.3 \times 0.4$	52KNm
	*M _u (positive)	7kNm
	$M_u/\emptyset bd^2 = 7 \times 10^6/(0.9 \times 1250 \times 169^2)$	0.18
	m = 14.1	
	$\rho = 1/14.1(1-\sqrt{(1-(2\times14.1\times0.18/420))})$	0.0006
	$<\rho_{\min}(=0.00213)$	
	$A_s = 0.00213 \times 1250 \times 169$	450mm ²
	Use 4-No12 in two directions(A _{sprovide} =492mm ²)	
	*M _u (Exterior negative)	2.5kNm
	$M_u/\emptyset bd^2 = 2.5 \times 10^6/(0.9 \times .25 \times 5000 \times 169^2)$	0.08
	m = 14.1	
	$\rho = 1/14.1(1-\sqrt{(1-(2\times14.1\times0.08/420))})$	0.0005
	$<\rho_{\min}(=0.00213)$	2
	$A_s = 0.00213 \times 1250 \times 169$	450mm ²
	Use 4-No12 in two directions(A _{sprovide} = 492mm ²)	
	b. Design of steel in middle strip	
	*M _u (interior negative)	18kNm
	$M_u/\emptyset bd^2 = 18 \times 10^6/(0.9 \times .5 \times 5000 \times 169^2)$	0.30
	m = 14.1	0.00077
	$\rho = 1/14.1(1-\sqrt{(1-(2\times14.1\times0.30/420))})$	0.00075
	$<\rho_{\min}(=0.00213)$	000 2
Design of	$A_s = 0.00213 \times 2500 \times 169$	900mm ²

Reinforced	Use 8-No12 in two directions($A_{sprovide} = 985 \text{mm}^2$)	
Concrete	*M _u (interior positive)	14.2kNm
ACI318-05	$M_u/\emptyset bd^2 = 14.2 \times 10^6/(0.9 \times .5 \times 5000 \times 169^2)$	0.25
Seven edition	m = 14.1	
	$\rho = 1/14.1(1-\sqrt{(1-(2\times14.1\times0.25/420))})$	0.00068
	$<\rho_{\min}(=0.00213)$	
	$A_s = 0.00213 \times 2500 \times 169$	900mm ²
	Use 8-No12 in two directions(A _{sprovide} = 985)	

Table (3.16): Required Roof Reinforcement

Strip cases	Location	Moment		$A_s(mm^2)$	Number of
					bars No-13
Column strip	Exterior	2.5	0.00213	492	4
	negative				
	positive	7	0.00213	492	4
	Interior	8	0.0065	1375	11
	negative				
Middle strip	Exterior	0	0	0	0
	negative				
	Positive	14.2	0.00213	985	8
	Interior	18.1	0.00213	985	8
	Negative				

Table (3.17): Summary of Design Bending Moments and Shear Forces for Beam C10-C11 at First Story Level

Load Cases	Location	B.M (kNm)	S.F (kN)
Gravity (DL+LL)	Support	-85	80
	Mid span	49	
Wind (WL)	Support	±350	±140
	Mid span	0	0
	Load Co	ombination	,
1.2DL+1.6LL	Support	-106	100
	Mid span	61	
1.2DL+LL±1.6WL	Support	-660	320

3.4.2 Design of Beams:

Beams must have an adequate safety margin against other types of failure (flexural and shear).

Beams flexural and shear design calculations shown in tables (3.18), (3.20), (3.22), (3.24), (3.26) and (3.28).

Table (3.18): Flexural Beam Design Calculations at First Story

Reference	Calculations	Out Put
	1-Flexural Design:	
ACI318-05	The factored axial load on the member, Which is	
21.12.4	negligible, is less than A _g f _c /10, for beams must be	
	satisfied.	
	All other applicable provisions in ACI318-05 are to	
	be satisfied as well.	
ACI318-05	-Minimum flexural reinforcement	

10.5.1	$A_{smin} = (0.25\sqrt{f_c'bd})/f_y = 0.25\sqrt{35} \times 300 \times 800/420$	850mm ²
	$\geq 1.4 \text{bd/f}_{\text{y}} = 1.4 \times 300 \times 800/420$	800mm ²
	-Maximum flexural reinforcement:	
	$A_{\text{smax}} = \underline{0.85\beta_1 f_c bd} \times (\underline{0.003})$	
	$f_y = (.003 + .004)$	
	$= 0.85 \times 0.814 \times 35 \times 300 \times 800/420 \times (0.003/60)$	
	0.007)	5930mm ²
ACI318-05	-Maximum reinforcement percentage	
Fig.R10.3.3	$\rho_{\text{max}} = 0.85 \beta_1 f_{\text{c}}' / f_{\text{y}} (\epsilon_{\text{c}} / \epsilon_{\text{c}} + 0.004)$	
	$= 0.85 \times 0.814 \times 35/420 (0.003/0.007)$	0.0247
ACI10.2.3	- Minimum reinforcement percentage	
	$ ho_{\rm min} = \sqrt{{\rm f_c'}/4{ m f_y}}$	0.00352
Design of	-Strain in compression concrete	
Reinforced	$\varepsilon_{\rm c} = 0.003$	
Concrete	$\beta_1 = 0.85 \text{-} 0.05 (f_c \text{-} 4000) / 1000,$	0.814
ACI318-05	$0.65 \le \beta_{1 \le} 0.85$.	
Seven	-Design moment strength	
edition	$\emptyset M_n = \emptyset [A_{S1}f_y(d-a/2) + A_s'f_s'(d-d')]$	
	$a = A_S f_y / 0.85 f_c b$	
	$A_s = \rho bd$	
ACI9.3.2.1	$\rho = 1/m(1-\sqrt{(1-2mR/f_y)})$	
	$R = M_u/\emptyset bd^2$	
	$m = f_y/0.85 f_c'$	
	-Effective depth	
	d = h-100 = 900-100	800mm
	$\emptyset = 0.9$ for tension controlled sections	

Table (3.19): Required Beam Reinforcement at First Story

Location	M _u (m-kN)	A_{s} (mm ₂)	Reinforcement	ØMn(m-kN)
Support	-660	2455	5-No25	690
Mid span	61	942	3-No20	260

ACI21.12.4.1: the positive moment strength at the joint be greater than or equal to 33% of the negative moment strength at that location. This is satisfied, since $260 \text{ m-KN} > 690 \times 0.33 = 227.7 \text{m-KN}$.

Table (3.20): Shear Design Calculation at First Story

Reference	Calculation	Out Put
	2.Shear Design:	
Fig. R21.12.3	Shear demand from nominal flexural capacity	
	$V_u = (690 - 260)/4.2$	102.4kN
ACI318-05	Shear demand from gravity load	
	$W_u=1.2W_D+W_L=1.2\times45+5$	60kN/m
	$V_u = W_u l_n / 2 = 60 \times 4.2 / 2$	126kN
	$V_u = 102.4 + 126$	228.4kN
	The nominal shear strength provided by	
ACI318-05	concrete (V _c)	
11.3.1	$V_c=0.17 \times \sqrt{fc} \times b \times d$	
	$= 0.17 \times \sqrt{35} \times 300 \times 800/1000$	241.4kN
	$V_u = (228.4KN) > ØV_c = (0.75 \times 241.4)$	181kN
	Provide shear reinforcement in assuming No.	
	10 hoops, the required spacing s is determined,	
ACI318-05	$S = (A_v f_{yt} d) / V_s$	
11.5.6	$=(142\times250\times800)/((28800/0.75)-241400)$ The	200mm

Eq. (11-15)	maximum spacing of hoops over the length	
ACI318-05	$2h = 2 \times 900$ from the face of the support at	1800mm
21.12.4.2	each end of the member is the smallest of the	
	following:	
	$(1) \frac{d}{4} = \frac{800}{4}$	200mm
	(2) 24(diameter of hoop bar) =	228mm
ACI318-05	24×9.5	400mm
21.12.4.3	For the remainder of the beam, the maximum	
	stirrup spacing is $\frac{d}{2}$	
	Use No. 10stirrups @ 200mm for the	
	remainder of the beam.	

Table (3.21): Summary of Design Bending Moment and Shear Forces for Beam C10-C11 AT 20th Story Level

Load Cases	Location	B.M (kNm)	S.F (kN)
Gravity (DL+LL)	Support	-128	100
	Mid span	57	
Wind (WL)	Support	±250	±120
	Mid span	0	0
	Load Cor	nbination	,
1.2DL+1.6LL	Support	-160	125
	Mid span	71	
1.2DL+LL±1.6WL	Support	-550	310

Table (3.22): Flexural Design Calculations at 20th Story Level

Reference	Calculation	Out Put
	1.Flexural Design:	
ACI318-05	The factored axial load on the member,	
21.12.4	Which is negligible, is less than	
	A _g f _c /10;thus, the provisions of section for	
	beams must be satisfied.	
	All other applicable provisions in ACI318-	
	05 are to be satisfied as well.	
ACI318-05	Minimum flexural reinforcement	
10.5.1	$A_{s,min} = (0.25\sqrt{f_c'bd})/f_y =$	
	$0.25\sqrt{35} \times 300 \times 800/420$	850mm ²
	$\geq 1.4 \text{bd/f}_{\text{y}} = 1.4 \times 300 \times 800/420$	800mm ²
	Maximum flexural reinforcement:	
	$A_{s,max} = \underline{0.85\beta_1 f_c bd} \times (\underline{0.003})$	
	f_y (.003+.004)	
	$= 0.85 \times 0.814 \times 35 \times 300 \times$	
	$800/420 \times (0.003/0.007)$	5930mm ²
	-Maximum reinforcement percentage	
ACI318-05	$\rho_{\text{max}} = 0.85 \beta_1 f_c' / f_y (\epsilon_c / \epsilon_{c+} 0.004)$	
Fig.R10.3.3	- Minimum reinforcement percentage	
	$ ho_{ m min} = \sqrt{{ m f_c'}/4{ m f_y}}$	
	-Strain in compression concrete	
	$\varepsilon_{\rm c} = 0.003$	
ACI10.2.3	$\beta_1 = 0.85 - 0.05(f_c - 4000)/1000,$	
	$0.65 \le \beta_{1 \le} 0.85$.	
	-Design moment strength	

Design of	$\emptyset M_n = \emptyset [A_{S1}f_y(d-a/2) + A_s'f_s'(d-d')]$	
Reinforced	$a = A_S f_y / 0.85 f_c' b$	
Concrete	$A_s = \rho bd$	
ACI318-05	$\rho = 1/m(1-\sqrt{(1-2mR/f_y)})$	
Seven	$R = M_u/\emptyset bd^2$	
edition	$m = f_y/0.85 f_c'$	
	-Effective depth	
	d = h-100	800mm

Table (3.23): Required Beam Reinforcement at 20th Story Level

Location	M _u (m-kN)	$A_s (mm_2)$	Reinforcement	ØMn(m-kN)
Support	-550	1964	4-No25	560
Mid span	71	942	3-No20	260

ACI21.12.4.1: the positive moment strength at the joint be greater than or equal to 33% of the negative moment strength at that location. This is satisfied, since $260 \text{ m-kN} > 560 \times 0.33 = 185 \text{m-kN}$.

Table (3.24): Shear Design Calculation at 20th Story Level

Reference	Calculation	Out Put
	2.Shear Design:	
ACI318-05	Shear demand from nominal flexural capacity	
Fig.R21.12.3	$V_u = (560-260)/4.2$	72kN
	Shear demand from gravity load	
	$W_u=1.2W_D+W_L=1.2\times45+5$	60kN/m
	$V_u = W_u l_n / 2 = 60 \times 4.2 / 2$	126kN

	V _u =72+126	198kN
ACI318-05	The nominal shear strength provided by concrete	
11.3.1	(V _c)	
	$V_c=0.17 \times \sqrt{fc} \times b \times d$	
	$= 0.17 \times 300 \times 800 \sqrt{35/1000}$	241.4kN
	$V_u = (198KN) > \emptyset V_c(0.75 \times 241.4)$	181kN
ACI318-05	Provide shear reinforcement in accordance with	
11.5.6	ACI318-05-11.5.6 assuming No. 10 hoops, the	
	required spacing S is	
Eq. (11-15)	$S = (A_v \times f_{ys} d)/V_s$	
ACI318-05	$= (142 \times 250 \times 800 / (\frac{241400}{0.75} - 198000)$	230mm
21.12.4.2	The maximum spacing of hoops over the length	1800mm
21.12.4.2	$2h=2 \times 900$ from the face of the support at each	100011111
	end of the member is the smallest of the	
	following:	200mm
	$(1) \qquad \frac{d}{4} = \frac{800}{4}$	228mm
	(2) 24(diameter of hoop bars) =	400mm
	24×9.5	
ACI318-05	For the remainder of the beam, the maximum	
21.12.4.3	stirrup spacing is $\frac{d}{2}$	
	Use No. 10stirrups @ 250mm for the remainder	
	of the beam.	

Table (3.25): Summary of Design Bending Moment and Shear Forces for Beam C10-C11at 40^{th} Story Level

Load Cases	Location	B.M (kNm)	S.F (kN)
Gravity (DL+LL)	Support	-116	68
	Mid span	51	
Wind (WL)	Support	±4	±2
	Mid span		
	Load Cor	nbination	
1.2DL+1.6LL	Support	-148	85
	Mid span	63.6	
1.2DL+LL±1.6WL	Support	-145	84

Table (3.26): Flexural Design Calculations at 40th Story Level

Reference	Calculation	Out Put
	-Maximum percentage of reinforcement	
	$\rho_{\text{max}} = 0.85 \beta_1 f_c' / f_y (\varepsilon_c / \varepsilon_c + .004)$	
	$= 0.85 \times 0.814 \times 35 \times (0.003/.007)/420$	0.0247
	-Minimum percentage of reinforcement	
	$\rho_{\min} = \sqrt{f_c'/4f_y} = \sqrt{35/4 \times 420}$	0.00352
	1.Flexural Design:	
ACI318-05	The factored axial load on the member, Which is	
21.12.4	negligible, is less than A _g f _c /10;thus, the provisions	
	of section for beams must be satisfied.	
	All other applicable provisions in ACI318-05 are	
	to be satisfied as well.	
	Minimum flexural reinforcement	
ACI318-05	$A_{s,min} = (0.25\sqrt{f_c'bd})/f_y = 0.25\sqrt{35} \times 300 \times$	

10.5.1	800/420	850mm ²
	$\geq 1.4 \text{bd/f}_{y} = 1.4 \times 300 \times 800/420$	800mm ²
	Maximum flexural reinforcement:	
	$A_{s,max} = \underline{0.85\beta_1 f_c bd} \times (\underline{0.003})$	
	f_y (.003+.004)	
	$= 0.85 \times 0.814 \times 35 \times 300 \times 800/$	
	$420 \times (0.003/0.007)$	5930mm ²
	-Maximum reinforcement percentage	
ACI318-05	$\rho_{\text{max}} = 0.85 \beta_1 f_c' / f_y (\epsilon_c / \epsilon_{c+} 0.004)$	
Fig.R10.3.3	- Minimum reinforcement percentage	
	$\rho_{\min} = \sqrt{f_c'/4f_y}$	
	-Strain in compression concrete	
ACI10.2.3	$\varepsilon_{\rm c} = 0.003$	
	$\beta_1 = 0.85 \text{-} 0.05 (f_c \text{-} 4000) / 1000, 0.65 \le \beta_{1 \le} 0.85.$	
Design of	-Design moment strength	
Reinforced	$\emptyset M_n = \emptyset [A_{S1}f_y(d-a/2) + A_s'f_s'(d-d')]$	
Concrete	$a = A_S f_y / 0.85 f_c' b$	
ACI318-05	$A_s = \rho bd$	
Seven	$\rho = 1/m(1-\sqrt{(1-2mR/f_y)})$	
edition	$R = M_{\rm u}/\phi b d^2$	
	$m = f_y/0.85 f_c'$	
	-Effective depth	
	d= h-100	800mm
	d'=100mm	

Table (3.27): Required Beam Reinforcement at 40th Story Level

Location	M _u (m-kN)	$A_s (mm_2)$	Reinforcement	ØMn(m-kN)
Support	-145	942	3-No20	260
Mid span	64	942	3-No20	260

ACI21.12.4.1: the positive moment strength at the joint be

Greater than or equal to 33% of the negative moment strength at that location.

This is satisfied, since 260 m-kN \geq 260 \times 0.33m-kN.

Table (3.28): Shear Design Calculations at 40th Story Level

Reference	Calculation	Out Put
	2.Shear Design:	
ACI318-05	Shear demand from nominal flexural	
Fig.R21.12.3	capacity	
	$V_u = (260-260)/4.2$	45kN/m
	Shear demand from gravity load	
	$W_u=1.2W_D+W_L=1.2\times35+2$	95kN
	$V_u = W_u l_n / 2 = 45 \times 4.2 / 2$	95kN
	$V_u = 0 + 95$	
ACI318-05	The nominal shear strength provided by	
11.3.1	concrete (V _c)	
	$V_c=0.17 \times \sqrt{fc} \times b \times d$	
	$= 0.17 \times \sqrt{35 \times 300 \times 800/1000}$	241.4kN
	$V_u = (95KN) < \emptyset V_c(0.75 \times 241.4)$	181kN
	There is no reinforcement for shear.	

Table (3.29): Design of Column C11 at First Story Level

Load Cases	Axial load (kN)	B.M (kNm)	S.F (kN)		
Gravity (DL+LL)	9569	-34	0		
Wind (WL)	±4140	±665	±186		
	Load Combination				
1.2DL+1.6LL	11823	-42	0		
1.2DL+LL±1.6WL	17937	1104	298		

3.4.3 Design of Columns:

All columns are subjected to some bending as well as axial forces, and they need to be proportioned to resist both.

Column design calculations shown in tables (3.30), (3.32) and (3.34)

Table (3.30): Column Axial Forces and Bending Design Calculations at First Story Level

Reference	Calculation	Out Put
	1.Design for Axial Force and Bending	
	Since the design strength not investigated	
	requirement of ACI for using interaction chart, so	
	design using basic equations, considered that,	
	balanced failure.	
Design of	-Basic Equations of Short Columns	
Reinforced	$P_{nb} = 0.85 f_c' ab + A_s' f_s' - A_s f_y$	
Concrete	$M_{nb} = 0.85 f_c' ab(h/2-a/2) + A_s' f_s'(h/2-d') - A_s f_y(d-h/2)$	
ACI318-05	Eccentricity $e_b = M_{nb}/P_{nb} \le 0.03h + 15$	
Seven	-Nominal Design Strength	
edition	$P_{\rm nb} = P_{\rm u}/\emptyset = 17937/0.65$	27595kN

	$M_{nb} = M_u/\emptyset = 1104/0.65$	1699kNm
ACI9.3.2.2	$\emptyset = 0.65$ for column sections with tied reinforcement	
	-Strains in compression and tensile steel	
Design of	$\varepsilon_{\rm s}' = (\varepsilon_{\rm u}) c - d'/c$	
Reinforced	$\varepsilon_{s}' = (\varepsilon_{u})d-c/c$	
Concrete	$c = c_b = 600 d/(600 + f_y)$	
ACI318-05	$c = 600 \times 730/(600 + 420)$	429mm
Seven	-Stress in compression and tensile steel	
edition	$f_{s}' = E_{s} \varepsilon_{s}'$	
	$f_s = E_s \varepsilon_s$	
ACI10.2.7.1	$a = \beta_1 c = 0.814 \times 429$	349mm
	h = 800mm	
	d'= 70mm	
	d = 800-70	730mm
	b = 800 mm	
	by Substituting into basic equations above	
	-Compression reinforcement	
	$A_s' = 16612 \text{mm}^2 \text{ (Use17-No 36)}$	
	-tension reinforcement	
	$A_s = 3113 \text{mm}^2 \text{ (Use4-No 36)}$	
	$A_{\text{sprovide}} = 21378 \text{mm}^2$	
	Design is based on the governing load combinations	
	in the table 3.29, a 800×800mm column with 21-	
	No.36 bars (ρ_g = 3.5%) is adequate for column	
ACI10.9.1	supporting the first floor level. The provided	
	reinforcement ratio is within the allowable rang of	
	1% and 8%	
ACI21.12.3	2.Design for Shear	

	Columns in intermediate moment frames must satisfy	
	the shear requirements. The first of the two options in	
	that section is utilized here to determine the design	
	shear strength:	
	The sum of the shear associated with development of	
	nominal moment strengths of the member at each	
	restrained end of the clear span and the shear	
	calculated for the factored gravity loads.	
	Because the column is at first floor, and the moment	
	at any column end cannot exceed the average of the	
	nominal moment strengths of the beams framing	
	into that end, shear demand from the lateral forces is	
	calculated from the nominal flexural strengths of the	
	beams.	
	$V_{\rm u} = (690 + 260)/1.8$	528kN >
	The shear capacity of the column will be checked for	298kN
ACI318-05	members subjected to axial compression:	
Eq. (11.4)	$V_c = 0.17(1+N_u/14A_g)\sqrt{f_c'bd}$	
	$0.17(1+(17937000/14\times800^2))\sqrt{35}\times800\times730/1000$	1175.8kN
	Since $V_u > \emptyset V_c/2 = 0.75 \times 1175.8/2$	441kN
ACI11.5.6.1	by minimum transverse reinforcement would be	
	required.	
	$A_{v,min} = .062\sqrt{f_c'b_wS/f_{vt}}$	
	With No. 12 hoops with one cross-site, $A_v = 387 \text{mm}^2$	
ACI11.5.5.1	$S = 387 \times 250/(.062 \times 800 \sqrt{f_c})$	329.7mm
	< d/2 Thus,	365mm
ACI11.5.5.2	$S_{\text{required}} = 330 \text{ mm}$	
ACI21.12.5.	For No 12 rectangular hoops, the vertical spacing s ₀	
	Z = -1-F-7 =	

3	must not exceed the smallest of the flowing:	
	-8 (smallest longitudinal bar diameter) = 8×34.5	284mm
	-24 (hoop bar diameter) = 24×11.5	300mm
	Use No 12 hoops and crossties @ 250mm with the	
	first hoop located at $120 \text{mm} < S_0/2=300/2=150 \text{mm}$;	
	from the joint face below first floor above the base.	

Table (3.31): Design of Column C11 at 20th Story Level

Load Cases	Axial load (kN)	B.M (kNm)	S.F (kN)	
Gravity (DL+LL)	4967	-89	0	
Wind (WL)	±1191	±142	<u>+</u> 89	
Load Combination				
1.2DL+1.6LL	6136.4	-110	0	
1.2DL+LL±1.6WL	7778	332	142	

Table (3.32): Column Axial Forces and Bending Design Calculations at 20th Story Level

Reference	Calculation	Out Put
	1.Design for Axial Force and Bending	
	Since the design strength not investigated	
	requirement of ACI for using interaction chart, so	
	design using basic equations, consider this, balanced	
	failure.	
Design of	-Basic Equations of Short Columns	
Reinforced	$P_{nb} = 0.85 f_c' ab + A_s' f_s' - A_s f_y$	
Concrete	$M_{nb} = 0.85 f_c' ab(h/2-a/2) + A_s' f_s'(h/2-d') - A_s f_y(d-h/2)$	

ACI318-05	Eccentricity $e_b = M_{nb}/P_{nb} \le 0.03h + 15$	
Seven	-Nominal Design Strength	
edition	$P_{\rm nb} = P_{\rm u}/\emptyset = 7778/0.65$	11966kN
	$M_{nb} = M_u/\emptyset = 332/0.65$	511kNm
	-Strains in compression and tensile steel	
	$\varepsilon_{s}' = (\varepsilon_{u})c - d'/c$	
	$\varepsilon_{s}' = (\varepsilon_{u})d-c/c$	
	$c = c_b = 600 d/(600 + f_y)$	
	c = 429mm	
	-Stress in compression and tensile steel	
	$f_{s}' = E_{s} \varepsilon_{s}'$	
	$f_s = E_s \varepsilon_s$	
ACI10.2.7.1	$a = \beta_1 c = 0.814 \times 429$	349mm
	h = 800 mm	
	d'= 70mm	
	d = 800-70	730mm
	b = 800 mm	
	Substituting into the basic equations above	
	-Compression reinforcement	
	$A_s' = 9918 \text{mm}^2 \text{ (Use13-No. 32)}$	
	-tension reinforcement	
	$A_s = 9859 \text{mm}^2 \text{ (Use12-No. 32)}$	
	$A_{\text{sprovide}} = 20100 \text{mm}^2$	
	Design is based on the governing load combinations	
	in the table 3.31, a 800×800mm column with 25-	
	No.32 bars ($\rho_g = 3\%$) is adequate for column	
	supporting the twenty floor level. The provided	
ACI10.9.1	reinforcement ratio is within the allowable rang of	

	1% and 8%	
	2.Design for Shear	
ACI21.12.3	Columns in intermediate moment frames must satisfy	
	the shear requirements in. The first of the two options	
	in that section is utilized here to determine the design	
	shear strength:	
	The sum of the shear associated with development of	
	nominal moment strengths of the member at each	
	restrained end of the clear span and the shear	
	calculated for the factored gravity loads.	
	Because the column is at twenty floor, and the	
	moment at any column end cannot exceed the	
	average of the nominal moment strengths of the	
	beams framing into that end, shear demand from the	
	lateral forces is calculated from the nominal flexural	
	strengths of the beams.	
	$V_u = (560+260)/1.6$	512.5kN >
	The shear capacity of the column for members	142kN
ACI318-05	subjected to axial compression:	
Eq. (11.4)	$V_c = 0.17(1+N_u/14A_g)\sqrt{f_c'b_w}d$	
	$0.17(1+(7778000/14\times800^2))\sqrt{35\times800\times730/1000}$	1097kN
	Since $V_u > \emptyset V_c / 2 = 0.75 \times 1097 / 2$	411kN
ACI11.5.6.1	minimum transverse reinforcement would be	
	required.	
	$A_{v,min} = .062\sqrt{f_c'}b_wS/f_{yt}$	
	With No. 10 hoops with one cross-site, $A_v = 213 \text{mm}^2$	
ACI318-05	$S = 213 \times 250/(.062 \times 800\sqrt{35})$	181.5mm
11.5.5.1	< d/2 = 730/2	365mm

	$S_{\text{required}} = 181.5 \text{ mm}$	
ACI11.5.5.2	For No 12 rectangular hoops, the vertical spacing s ₀	
	must not exceed the smallest of the flowing:	
	-8(smallest longitudinal bar diameter) = 8×31.5	252mm
	-24 (hoop bar diameter) = 24×9.5	228mm
ACI21.12.5.	Use No -10 hoops and crossties @ 200mm with the	
3	first hoop located at 100mm ($< S_0/2=228/2=114$ mm;	
	from the joint face below twenty floor level and	
	above the twenty-one level.	

Table (3.33): Design of Column C11 at 40th Story Level

Load Cases	Axial load (kN)	B.M (kNm)	S.F (kN)	
Gravity (DL+LL)	130	-94	0	
Wind (WL)	±2	±5	±3.1	
Load Combination				
1.2DL+1.6LL	160	-117	0	
1.2DL+LL±1.6WL	178	112	5	

Table (3.34): Column Axial Forces and Bending Design Calculations at $40^{\rm th}$ Story Level

Reference	Calculation	Out Put
	1.Design for Axial Force and Bending	
	Since the design strength not investigated	
	requirement of ACI for using interaction chart, so	
	design using basic equations, consider this,	

	balanced failure.	
Design of	-Basic Equations of Short Columns	
Reinforced	$P_{nb} = 0.85 f_c' ab + A_s' f_s' - A_s f_y$	
Concrete	$M_{nb} = 0.85 f_c' ab(h/2-a/2) + A_s' f_s'(h/2-d') - A_s f_y(d-h/2)$	
ACI318-05	Eccentricity $e_b = M_{nb}/P_{nb} \le 0.03h + 15$	
Seven edition	-Nominal Design Strength	
ACI9.3.2.2	$P_{\rm nb} = P_{\rm u}/\emptyset = 178/0.65$	274kN
	$M_{nb} = M_u/\emptyset = 112/0.65$	173kN
Design of	-Strains in compression and tensile steel	
Reinforced	$\varepsilon_{s}' = (\varepsilon_{u})c - d'/c$	
Concrete	$\epsilon_{s}' = (\epsilon_{u})d-c/c$	
ACI318-05	$c = c_b = 600 d/(600 + f_y)$	
Seven edition	c = 429mm	
	-Stress in compression and tensile steel	
	$f_{s}' = E_{s} \varepsilon_{s}'$	
	$f_s = E_s \varepsilon_s$	
ACI10.2.7.1	$a = \beta_1 c = 0.814 \times 429$	349mm
	h = 800 mm	
	d'= 70mm	
	d = 800-70	730mm
	b = 800 mm	
	Substituting into the basic equations above	
	-Compression reinforcement	
	$A_s' = 6400 \text{mm}^2 \text{ (Use13-No 25)}$	
	-tension reinforcement	
	$A_s = 4056 \text{mm}^2$	
	Design is based on the governing load	
	combinations in the table, a 800×800mm column	

	with 12 No 25 hars $(a - 10/)$ is adaquate for	
	with 13-No.25 bars ($\rho_g = 1\%$) is adequate for	
	column supporting the first floor level. The	
	provided reinforcement ratio is within the	
ACI10.9.1	allowable rang of 1% and 8%	
	2.Design for Shear	
ACI21.12.3	Columns in intermediate moment frames must	
	satisfy the shear requirements. The first of the two	
	options in that section is utilized here to determine	
	the design shear strength:	
	The sum of the shear associated with development	
	of nominal moment strengths of the member at	
	each restrained end of the clear span and the shear	
	calculated for the factored gravity loads.	
	Because the column is at roof, and the moment at	
	any column end cannot exceed the average of the	
	nominal moment strengths of the beams framing	
	into that end, shear demand from the lateral forces	
	is calculated from the nominal flexural strengths of	
	the beams.	
	$V_u = (260+260)/1.6$	325kN >
	The shear capacity of the column w for members	5kN
	subjected to axial compression:	
ACI318-05	$V_c = 0.17(1+N_u/14A_g)\sqrt{f_c'b_w}d$	
Eq. (11.4)	$0.17(1+(178000/14\times800^2))\sqrt{35}\times800\times730/1000$	599kN
	Since $V_u > \emptyset V_c / 2 = 0.75 \times 599 / 2$	224.6kN
	minimum transverse reinforcement would be	
	required.	
ACI11.5.6.1	$A_{v,min} = .062\sqrt{f_c'}b_wS/f_{yt}$	

	With No. 10 hoops with one cross-site, $A_v =$	
	213mm ²	
	$S = 213 \times 250 / (.062 \times 800 \sqrt{35})$	181.5mm
ACI 11.5.5.1	< d/2	365mm
	Thus, $S_{required} = 181.5 \text{ mm}$	
ACI11.5.5.2	For No 12 rectangular hoops, the vertical spacing	
	s_0 must not exceed the smallest of the flowing:	
	-8(smallest longitudinal bar diameter) =	
	8×24.5	196mm
	-24 (hoop bar diameter) = 24×9.5	228mm
ACI21.12.5.3	Use No 12 hoops and crossties @ 200mm with the	
	first hoop located at 90mm ($< S_0/2=196/2=98$ mm;	
	from the joint face below forty floor level.	

Table (3.35): Design Axial Forces, Bending Moments and Shear Forces at Base of Shear Wall on Line3

Load Cases	Axial (kN)	Bending (kNm)	Shear (kN)
Dead	8810	0	0
Live	1296	0	0
Wind	0	58310	858
Load Combination		,	
1.2DL+1.6LL	11417	0	0
1.2DL+LL±1.6WL	11868	93296	1373

3.5.4 Design of Shear walls:

Walls should be designed to resist all loads to which they are subjected, including eccentric axial loads and lateral forces.

Shear wall design calculations shown in table (3.36).

Table (3.36): Wall Shear Design Calculations

Reference	Calculation	Out Put	
	1.Check wall thickness		
ACI11.10.3	$V_u = \emptyset 10 \sqrt{f'_c} hd$		
ACI11.10.4	$D = 0.81_{\rm w} = 0.8 \times 1000$	800mm	
ACI11.30 ACI11.10.5	$V_u = 0.75 \times 10\sqrt{35000} \times 0.3 \times 0.8$	373 kN	
	Minimum value of V _c		
	$V_c = hd(0.6\sqrt{f'_c} + l_w(1.25\sqrt{f'_c} + 0.2N_u/l_wh)/(M_u/V_u-$		
	$l_{\rm w}/2)$		
	$0.3 \times 0.8 (0.6\sqrt{35000} + (1.25\sqrt{35000} + 0.2 \times 11868/0.3))$		
	(93296/337-1/2)	30	
	2.Shear Design		
	The shear strength of the concrete for wall subjected		
	to axial compression,		
	$V_c = 0.17 \sqrt{f_c'} hd$	241 41-NI	
	$=0.17\sqrt{35\times300\times(0.8\times1000)/1000}$	241.4kN 181kN	
ACI11.10.9 ACI11.10.9.3	Since $\emptyset V_c = 0.75 \times 241.4 < V_u (=1373),$	IOIKIN	
	horizontal shear reinforcement		
	Required bar spacing with 2 layers of No. 16:		
	$S = (A_v f_y d)/V_s$	85mm	
	$= (398 \times 420 \times 800)/(1373000/0.75 - 241400)$		
	spacing of horizontal reinforcement shall not		
	exceed:	200mm	
	$-l_{\rm w}/5 = 1000/5$	900mm	
	$-3h = 3 \times 300$		

ACI11.10.9.2	-450mm	
	ratio of horizontal shear reinforcement shall not be	
	less than 0.0025	
	For 2-No.12 horizontal bar spaced @ 200mm	
ACI11.10.3	$\rho_{\rm t} = 398/(300 \times 200)$	0.0066 >
	Shear strength V _n at any horizontal section must be	0.002
	less than or equal to $0.83(f_c')^{0.5}$ hd (=1178.5KN). In	
	this case,	
	$V_n = V_c + V_s$	
ACI11.10.9.4	$= 241.4 + (398 \times 420 \times 800)/300 = 687.2$	687.2kN<
	The ratio of vertical shear reinforcement area to	1178.5kN
	gross concrete area of horizontal section shall not be	
	less than 0.0025	
ACI318	$\rho_1 = 0.0025 + 0.5(2.5 - h_w/l_w)(\rho_t - 0.0025)$	
Eq. (11-32)	= 0.0025 + 0.5(2.5 - 128.8/1)(0.0066 - 0.0025)	0.25 >
ACI11.10.9.5	spacing of vertical shear	0.0025
	Reinforcement shall not exceed(1) $l_w/3 = 1000/3$	333.3mm
	For 2 - No. 16 vertical bar spaced at 300mm,	
	$\rho_1 = 398/(300 \times 300) =$	0.0044 >
	Use 2-No. 16 vertical bars @ 300mm	0.002
ACI14.3.2	The provided vertical and horizontal reinforcement	
and 14.3.2	satisfy the requirements of sections for minimum	
	ratio of vertical and horizontal reinforcement to	
	gross concrete area.	
	-Design vertical flexural reinforcing:	
ACI318	$M_u/\emptyset bd^2 = 93296 \times 10^6/0.9 \times 300 \times 800^2$	540
Eq. (11-32)	$\rho = \rho_{\text{max}} = 0.0247$	_
ACI11.10.9.5	$A_s = 0.0247 \times 300 \times 800$	5930mm ²